











Bintel https://bintel.com.au/



\$899.00

\$799.00

ZWO Seestar S50 Smart Telescope

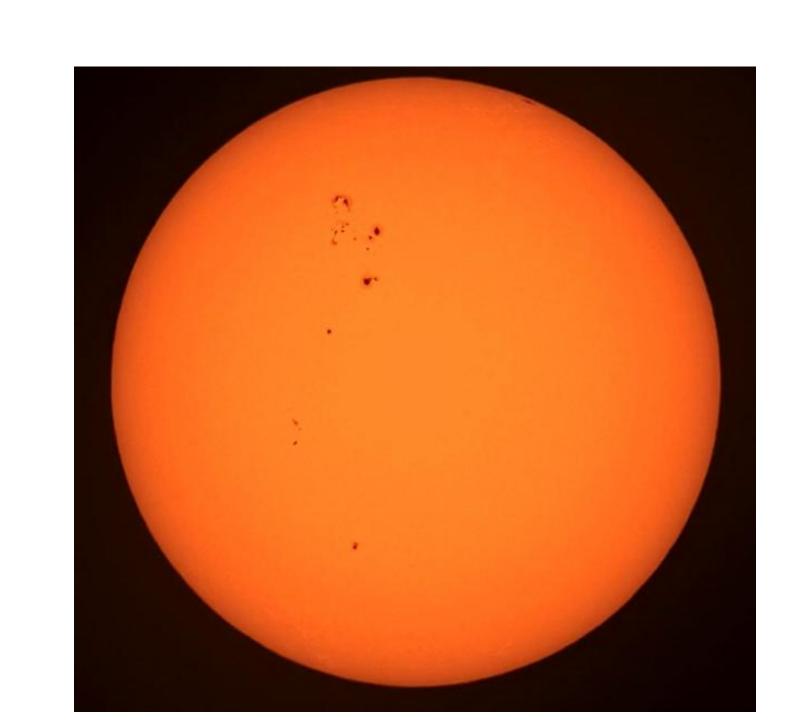
Available to order Contact us for ETA



\$649.00

ZWO Seestar S30 Smart Telescope

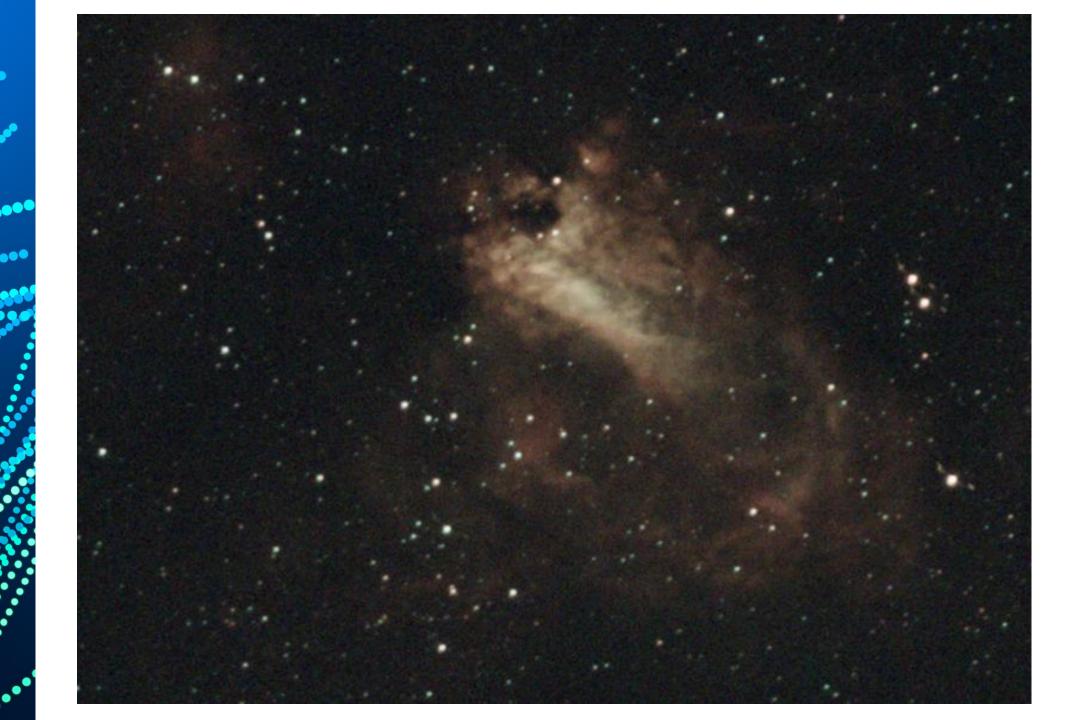
Available to order Contact us for ETA







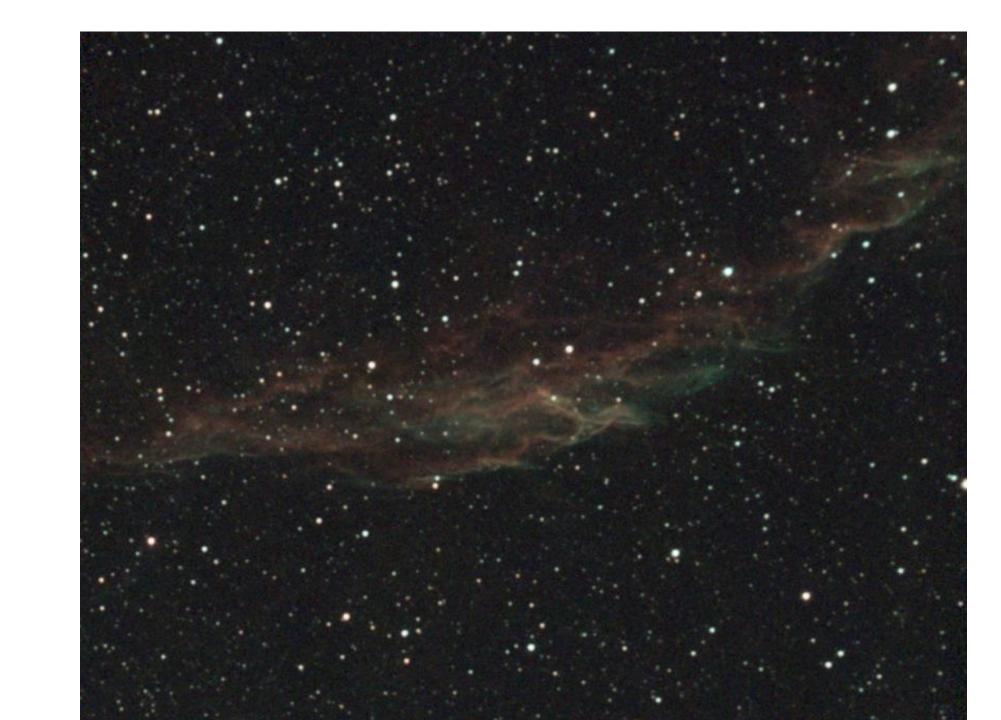






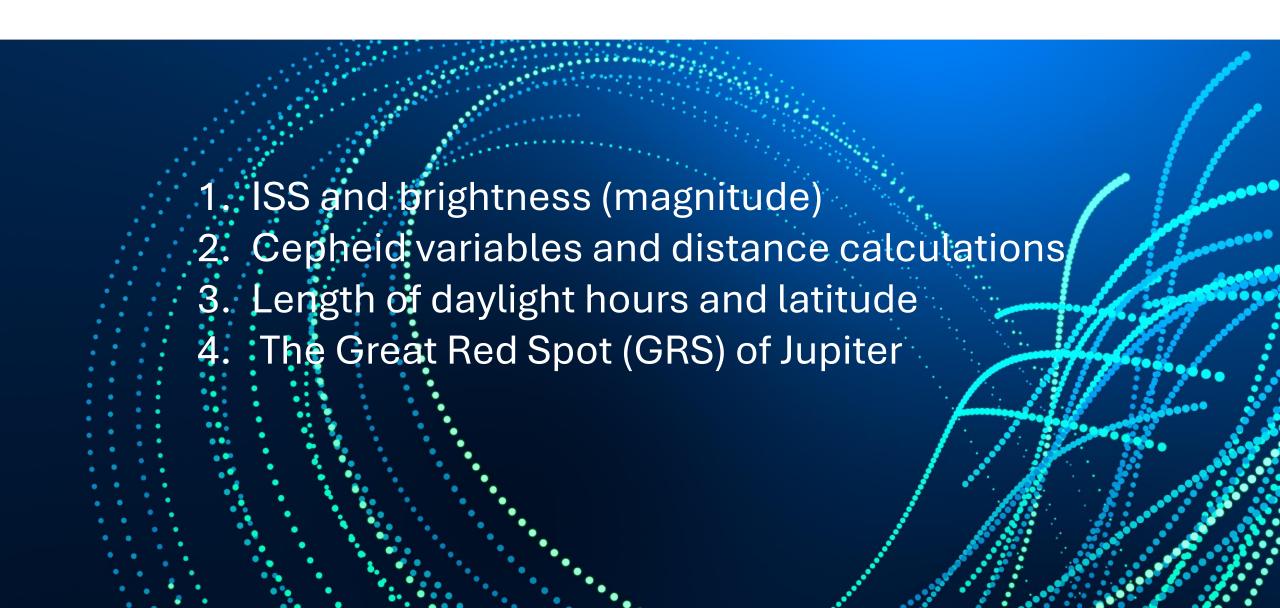
















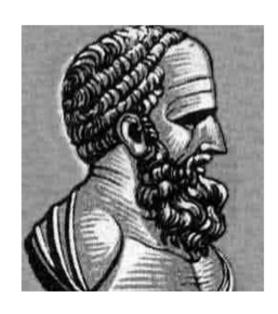
ISS facts

- Orbits 16 times a day
- Speed = 27,600 km/h or 8 km/second
- One orbit takes 92 mins



Stellar Magnitudes

In 129 B.C., the ancient Greek astronomer Hipparchus classified stars using a magnitude scale from 1 to 6. He called the brightest stars "first magnitude" which meant a "1" represented the brightest stars. The faintest stars were classified as "sixth magnitude" and were represented by a "6".



Object	Magnitude
Sun	-26
Full moon	-13
Venus at brightest	-4.6
Jupiter at brightest	-2.9
Mars at brightest	-2.6
Sirius, the brightest star	-1.5
Alpha Centauri	0.1
Polaris, the north star	2
Faintest star visible with 7×35 binoculars.	8
Stars barely visible with the Hubble telescope.	30



Starlink G4-19 launched successfully at 16:09 UTC on 17th June from Kennedy Space Center. Get predictions for your location.

Configuration

Login (optional) Change your observing location

Satellites

Live sky view Starlink - dynamic 3D orbit display ISS Interactive 3D Visualization Interactive Animation of Tesla Roadster Trajectory 10-day-predictions for satellites of special interest ISŚ Tiangong Starlink passes for all objects from a launch X-37B N. Korean satellite Hubble Space Telescope Envisat Daily predictions for brighter satellites Satellite database Spacecraft escaping the Solar System Amateur Radio Satellites - All Passes Height of the ISS

Astronomy

Solar Eclipses
Interactive sky chart
Sky chart (old version)
Sun
Moon
Planets
Solar system chart
Comets



ISS - Visible Passes

Horr

Search period start: 03 July 2022 00:00

Search period end: 13 July 2022 00:00

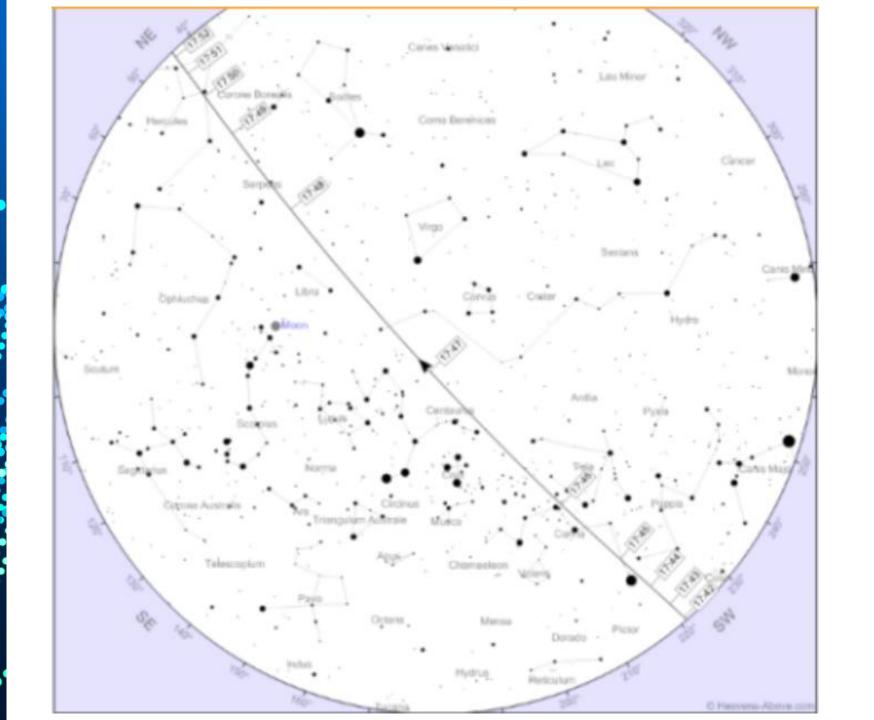
< >

Orbit: 414 x 420 km, 51.6° (Epoch: 23 June)

Passes to include: visible only all

Click on the date to get a star chart and other pass details.

	Brightness	Start			Highest point		End				
Date	(mag)	Time	Alt.	Az.	Time	Alt.	Az.	Time	Alt.	Az.	Pass type
07 Jul	-3.0	18:32:16	10°	SSW	18:34:48	36°	S	18:34:48	36°	S	visible
08 Jul	-2.4	17:44:19	10°	SSW	17:47:03	22°	SE	17:49:46	100	E	visible
08 Jul	-1.0	19:21:04	100	WSW	19:23:02	20°	WNW	19:23:02	20°	WNW	visible
09 Jul	-2.6	18:32:12	100	SW	18:35:26	440	NW	18:38:37	10°	NNE	visible
10 Jul	-3.8	17:43:42	10°	SW	17:47:06	82°	SE	17:50:27	10°	NE	visible
11 Jul	-0.2	18:33:56	100	WNW	18:35:06	110	NW	18:36:16	10°	NW	visible
12 Jul	-0.9	17:44:08	10°	WSW	17:46:51	23°	NW	17:49:34	100	N	visible



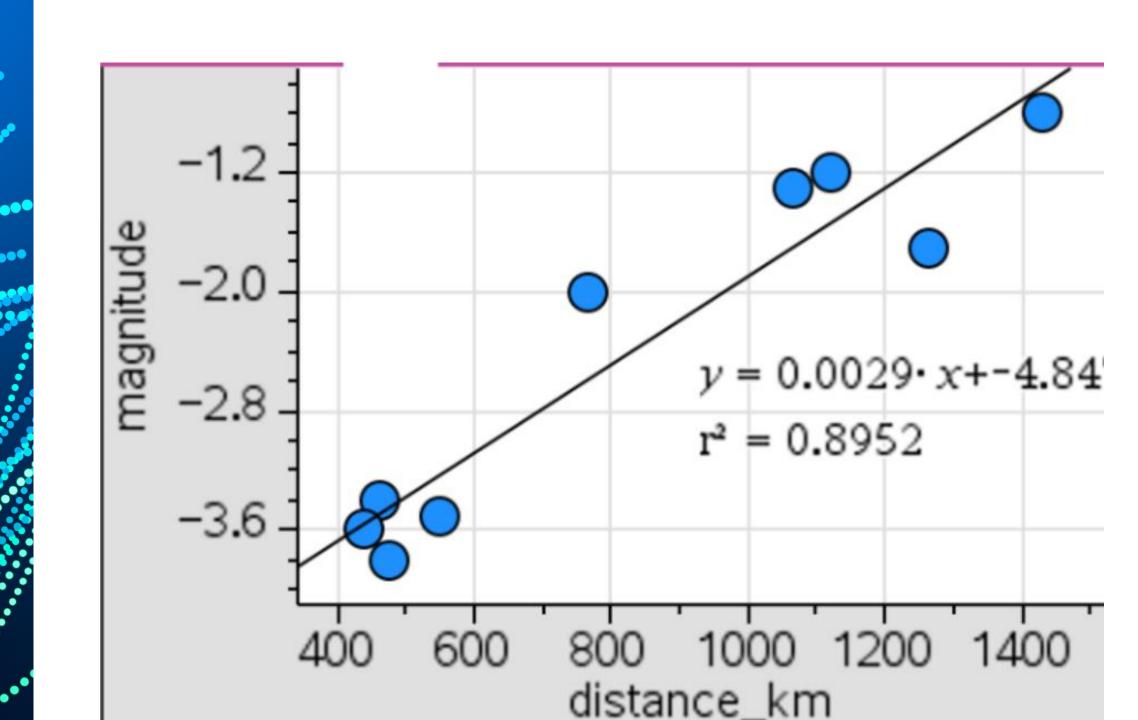
Date: 10 July 2022

Orbit: 414 x 420 km, 51.6° (Epoch: 23 June)

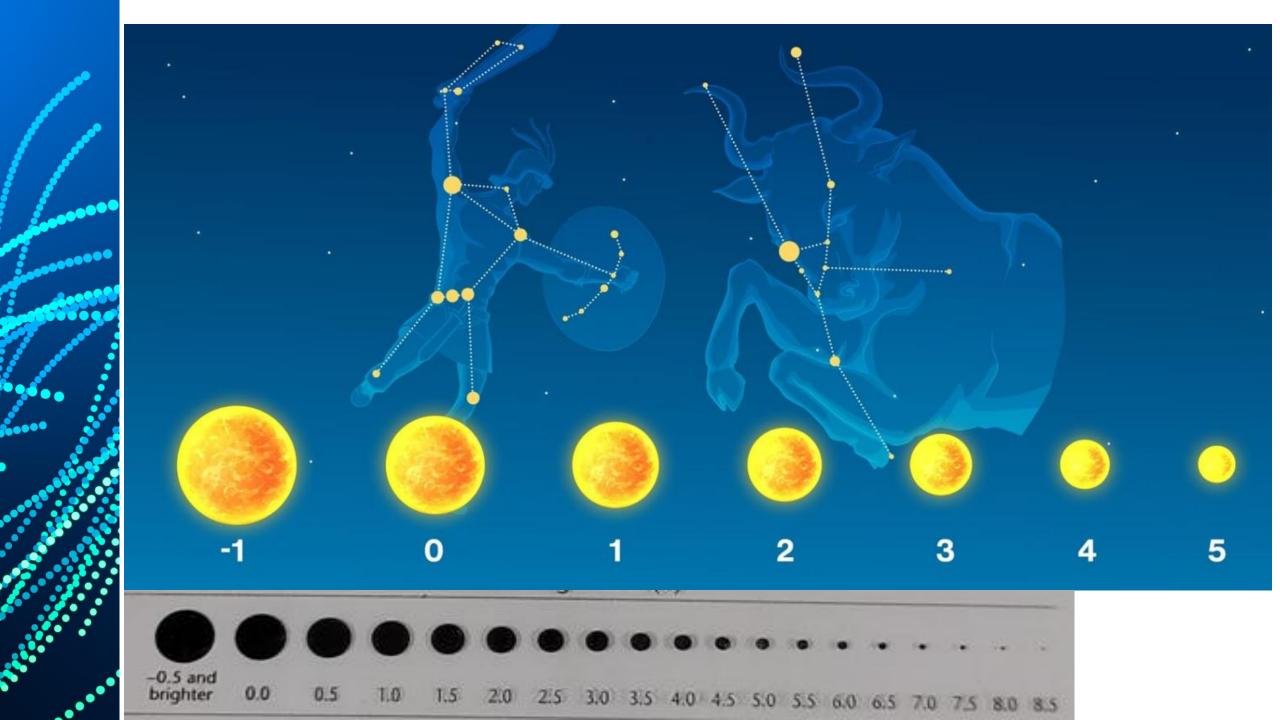
Event	Time	Altitude	Azimuth	Distance (km)	Brightness	Sun altitude
Rises	17:41:36	0°	222° (SW)	2,376	0.4	-6.8°
Reaches altitude 10°	17:43:43	100	221° (SW)	1,506	-0.7	-7.2°
Maximum altitude	17:47:06	82°	132° (SE)	426	-3.8	-7.90
Drops below altitude 10°	17:50:26	10°	44° (NE)	1,487	-1.2	-8.6°
Sets	17:52:31	0.0	43° (NE)	2,342	-0.2	-9.00

Magnitude (m)	Altitude (degrees)	Altitude (km)
-1.2	18	1122
-3.8	82	426
-2	31	764
-1.7	14	1262
-3.4	67	462
-1.3	19	1064
-0.8	12	1428
-3.6	74	441
-3.5	49	548

8









In 1856, Oxford astronomer Norman Pogson suggested a mathematical definition for a star's magnitude based on how bright a star was. The star's brightness could be defined in terms of the star's radiant flux.

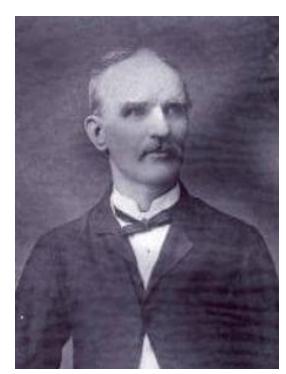
He suggested that a star of magnitude 1 is 2.5 times brighter than a star of magnitude 2. This can be written as a ratio of intensities.

$$\frac{I_1}{I_2} = 2.5.$$

A difference of 5 magnitudes represents a change in brightness by a factor of 100. [$2.5^5 \approx 100$]

The general formula is:

$$\frac{I_2}{I_1} = 10^{0.4(m_1 - m_2)}$$



Example 1

How many times brighter is the full moon than Venus? Consider the magnitude of Venus (M_1) and of the full Moon (M_2). Using the table above, the magnitudes differ by 8.4 (-4.6 - -13 = 8.4) Using the above equation the intensity of the full Moon to the intensity of Venus is:

$$\frac{I_2}{I_1} = 10^{0.4(-4.6 - -13)} = 10^{0.4 \times 8.4} = 10^{3.36} = 2290.86$$

The Moon is approximately 2291 times brighter than Venus.

Example 2

V Puppis is a variable star with its magnitude changing from 4.7 to 5.2 every $1\frac{1}{2}$ days. How many times more intense is it at its brightest than at its faintest?

$$\frac{I_2}{I_1} = 10^{0.4(5.2 - 4.7)} = 10^{0.4 \times 0.5} = 10^{0.2} = 1.585$$

At is brightest V Puppis is 1.6 times brighter than at its faintest.

Example 3

On April 1st1998 Comet Hale-Bopp was at magnitude 8.4. It was on its way out of the solar system. Earlier comet Hale-Bopp made its closest approach to the Sun on April 1st 1997. If Hale-Bopp was approximately 6500 times brighter when it made its closest approach, determine its approximate magnitude.



$$\frac{I_2}{I_1} = 6500, \quad 6500 = 10^{0.4(8.4 - M)}, \quad 6500 = 10^{0.4 \times 8.4} \times 10^{-0.4 M}$$

$$\frac{6500}{10^{3.36}} = 10^{-0.4 M}, \quad 2.8373 = 10^{-0.4 M}, \quad 10^{0.4529} = 10^{-0.4 M}$$

$$0.4529 = -0.4 M$$

$$M = -1.1$$

Distance formula

The distance formula relates the apparent magnitude (m), absolute magnitude (M) and the distance d (in parsecs) as follows:

$$m - M = 5\log(d) - 5$$

One parsec is approximately 3.26 light years and the absolute magnitude (M) of a star is its magnitude when viewed from a distance of 10 parsecs or 32.6 light years. The equation can be rearranged to give the following:

$$d = 10^{(m-M+5)/5}$$

The expression m-M is known as the distance modulus and is a measure of the distance to the object. If the distance modulus is 0, then the object is exactly 10 parsecs away. If the distance modulus is negative, the object is closer than 10 parsecs and its apparent magnitude(m) is brighter than its absolute magnitude (M). If the distance modulus is positive, the object is further than 10 parsecs and its apparent magnitude (m) is less bright than its absolute magnitude (M).

Cepheid variables

Eta Aquilae was the first Cepheid recognized to exhibit variability following observations by Edward Pigott in 1784.

But it was his friend, John Goodricke who is credited as discovering the periodic nature of Delta (δ) Cephei, the prototype of the class.

Day	Apparent magnitude
1	3.6
2	3.9
3	4.2
4	4.3
5	4
6	3.7
7	3.5
8	3.8

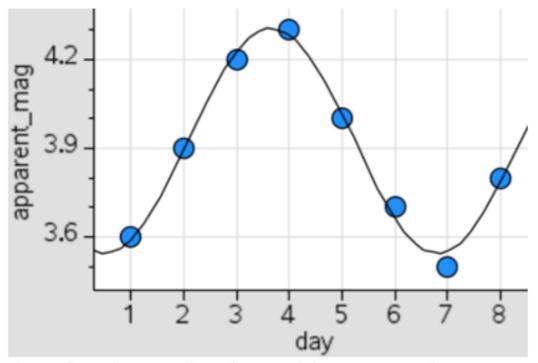


Figure 1: Plot of apparent magnitude verses days for the Cepheid variable Eta Aquilae

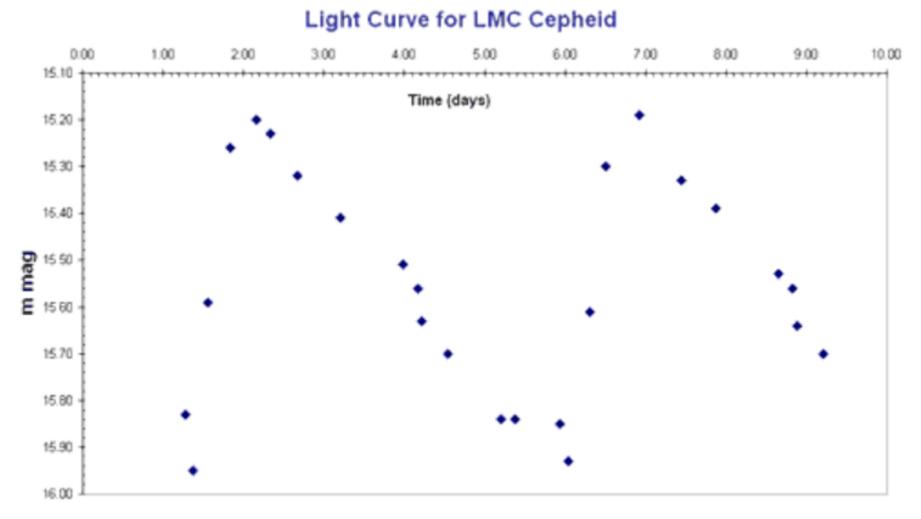


Figure 3: Light curve for a Cepheid in the Large Magellanic Clouds. (Source: National Telescope Facility)

Cepheid	Apparent magnitude (m)	Period (days)
1	11.45	31.43
2	11.24	35.58
3	11.84	31.21
4	11.41	34.23
5	11.17	37.46
6	11.63	32.92
7	11.38	36.97
8	11.21	34.01
9	11.79	30.59
10	11.32	35.76
11	11.51	32.11
12	11.14	37.65
13	11.27	35.01
14	11.72	31.87
15	11.36	36.21
16	11.43	34.98
17	11.78	30.88
18	11.29	35.32
19	11.19	37.12
20	11.66	32.43
21	11.49	33.76
22	11.26	35.43
23	11.97	29.94
24	11.33	34.76
25	11.15	36.56

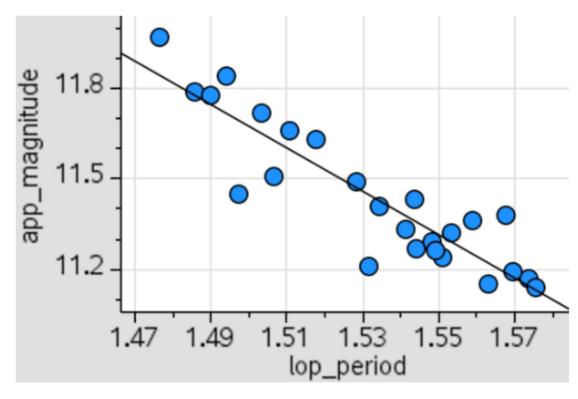


Figure 2: The table lists the apparent magnitude and period of 25 Cepheid variables. Leavitt plotted the log of the period against the apparent magnitude to obtain a linear relationship. She found that brighter Cepheids had longer periods.

Leavitt's equation relating apparent magnitude (m) and period (P) was then converted into an equation involving absolute magnitude (M) and period (P).

$$M = -2.76 \log(P) - 1.4$$

The relationship became known as the Period Luminosity relationship or Leavitt's law, whereby the absolute magnitude (M) of a Cepheid is linked to the log of its period (in days).

For example, suppose a Cepheid in a distant galaxy has a period of 30 days, then its absolute magnitude (M) is:

$$M = -2.76 \log(30) - 1.4$$

= -5.48

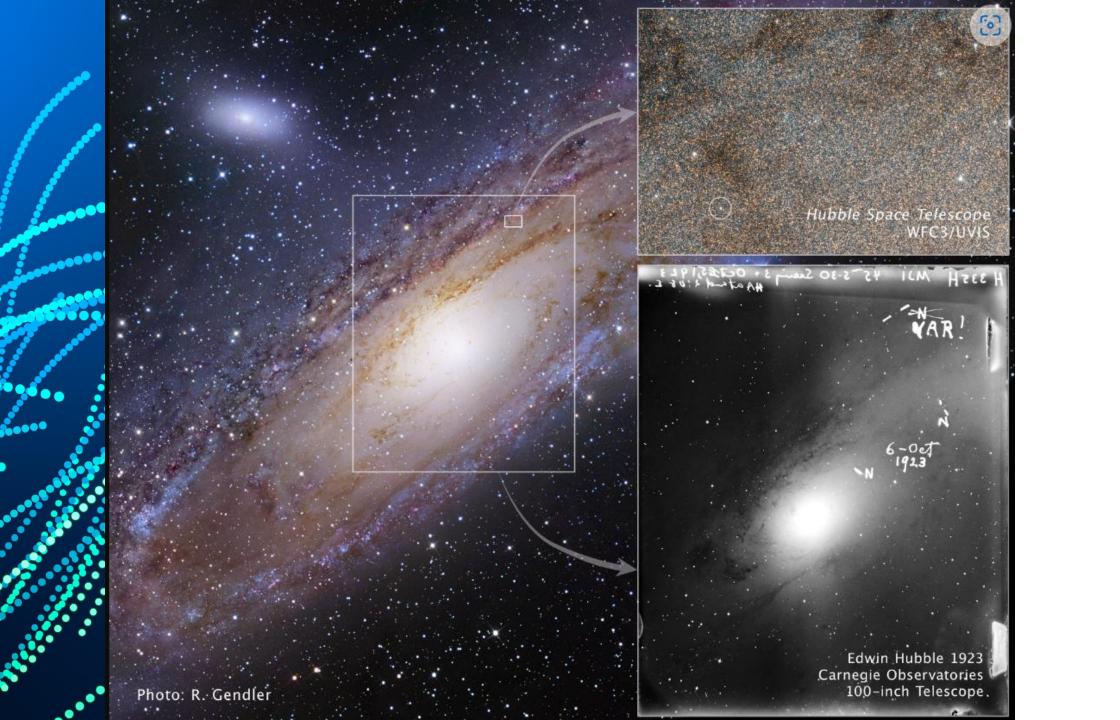
To calculate the distance to a galaxy, all that is needed is the apparent magnitude (m) and the period of a Cepheid in the galaxy of interest. The distance formula is then used to determine the distance in parsecs. The distance formula relates the apparent magnitude (m), absolute magnitude (M) and the distance d (in parsecs) as follows:

$$m - M = 5\log(d) - 5$$

One parsec is approximately 3.26 light years and the absolute magnitude (M) of a star is its magnitude when viewed from a distance of 10 parsecs or 32.6 light years.

The equation can be rearranged to give the following:

$$d = 10^{(m-M+5)/5}$$



Calculating the distance to a galaxy

Apparent mean magnitude (m) = 15.56 and the period = 4.76 days.

The absolute magnitude (M) is first determined by using the equation:

$$M = -2.76 \log(P) - 1.4$$

$$M = -2.76 \log(4.76) - 1.4$$

$$= -3.27$$

These apparent magnitude (m), and absolute magnitude (M) are then subbed into the distance equation.

$$d = 10^{(m-M+5)/5}$$

$$d = 10^{(15.56 - (-3.27) + 5)/5}$$

$$d = 10^{4.766}$$

 $=58344.5 \ parsecs$ or 190203 light years

Questions

1. A Cepheid variable has a period of 18 days and an apparent magnitude of 14.3. How far away is the Cepheid variable star.

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1. A Cepheid variable has a period of 18 days and an apparent magnitude of 14.3. How far away is the Cepheid variable star.

Solution:

First determine absolute magnitude (M)

$$M = -2.76 \log(18) - 1.4$$

$$= -4.86$$

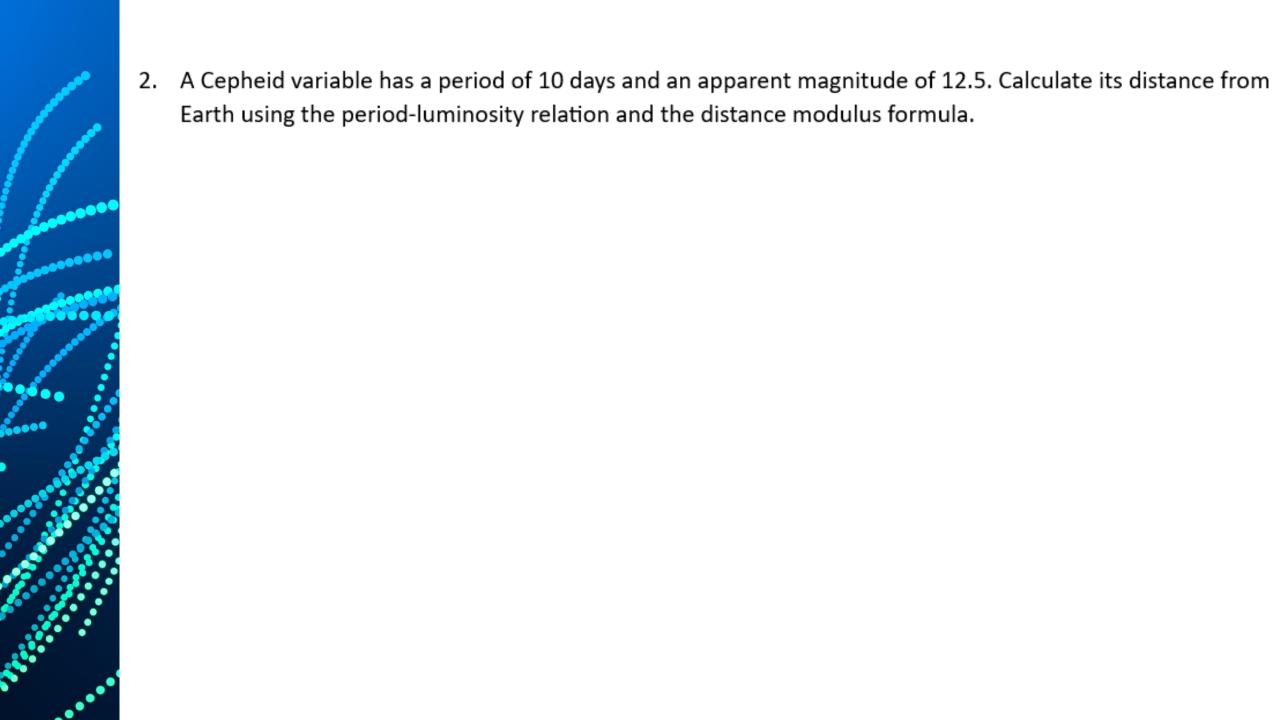
Next substitute the apparent magnitude (m) and absolute magnitude (M) into the distance formula.

$$d = 10^{(m-M+5)/5}$$

$$= 10^{(14.3-(-4.86)+5)/5}$$

$$=10^{4.832}$$

= 67920.4 parsecs or 221420.4 light years.



2. A Cepheid variable has a period of 10 days and an apparent magnitude of 12.5. Calculate its distance from Earth using the period-luminosity relation and the distance modulus formula.

Solution:

$$M = -2.76 \log(10) - 1.4$$

= -4.16
 $d = 10^{(m-M+5)/5}$
= $10^{(12.5-(-4.16)+5)/5}$
= $10^{4.332}$
= 21478.3 parsecs or 70019.3 light years.

Leavitt's ground breaking work was ignored for over four years until Ejnar Hertzsprung recognised the implications of what the unsung Leavitt had done. Edwin Hubble suggested that she should receive the Nobel Prize, while the Swedish mathematician Gosta Mittag-Leffler went even further and wrote her a letter in 1926 about nominating her for the Nobel Prize, not realizing that she had been dead for 4 years. As the Nobel Prize is not awarded posthumously, Henerietta never received her nomination.

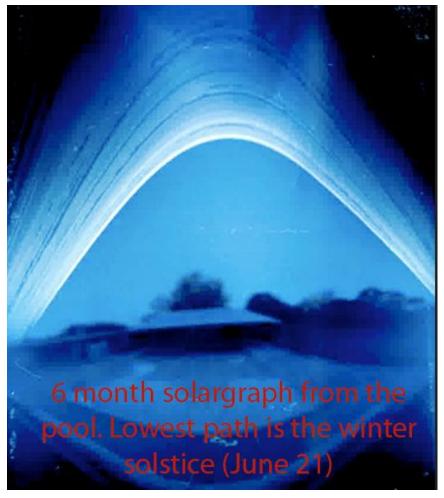






3. Can you determine the length of daylight hours from any given latitude on Earth?





Making a pinhole camera

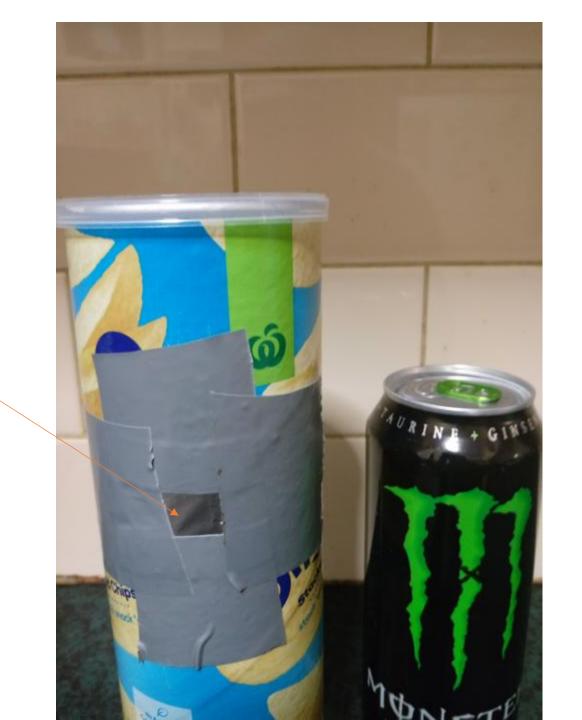
Pringles tin or Monster can works best.

Drill a hole and cover with alfoil.
Hole needs to be roughly one-third of the distance from the top.

Use a thumb-tack or pin to make a hole 1/3 of the distance from the top of the Monster can. (Pin works best)



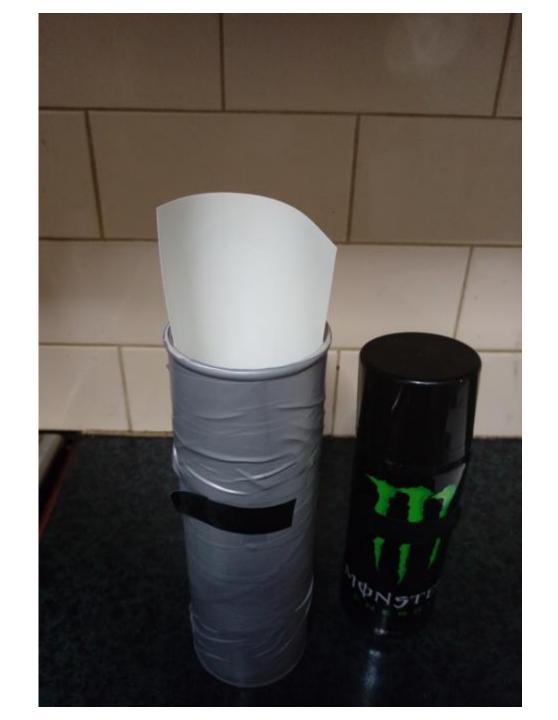
Hole covered with alfoil and secured with tape



Most school media departments have ILFORD's photographic paper



Insert the photographic paper inside the pinhole camera. Ensure the shiny photographic side faces the pinhole

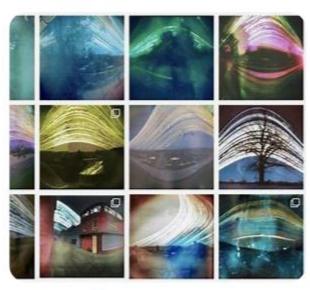




Use some black insulation tape to make a shutter.







Film Friday: Solarcan Puck is a compact solargraph camera i...



Solarcan Puck is a Limited-Time Palm-Sized Pinhole Sol...



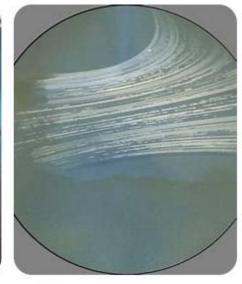
Solarcan Puck is a Limited-Time Pinhole Solargraph Camera ...



Solarcan Puck is a Limited-Time Palm-S...

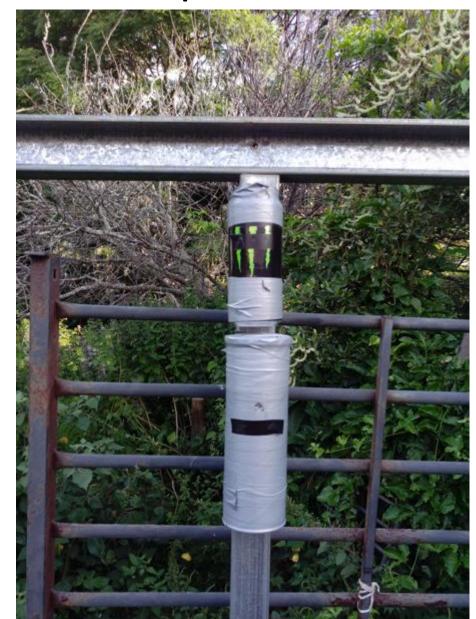


Solarcan Puck is a Limited-Time Palm-Sized Pinhole Solargraph Camera ...

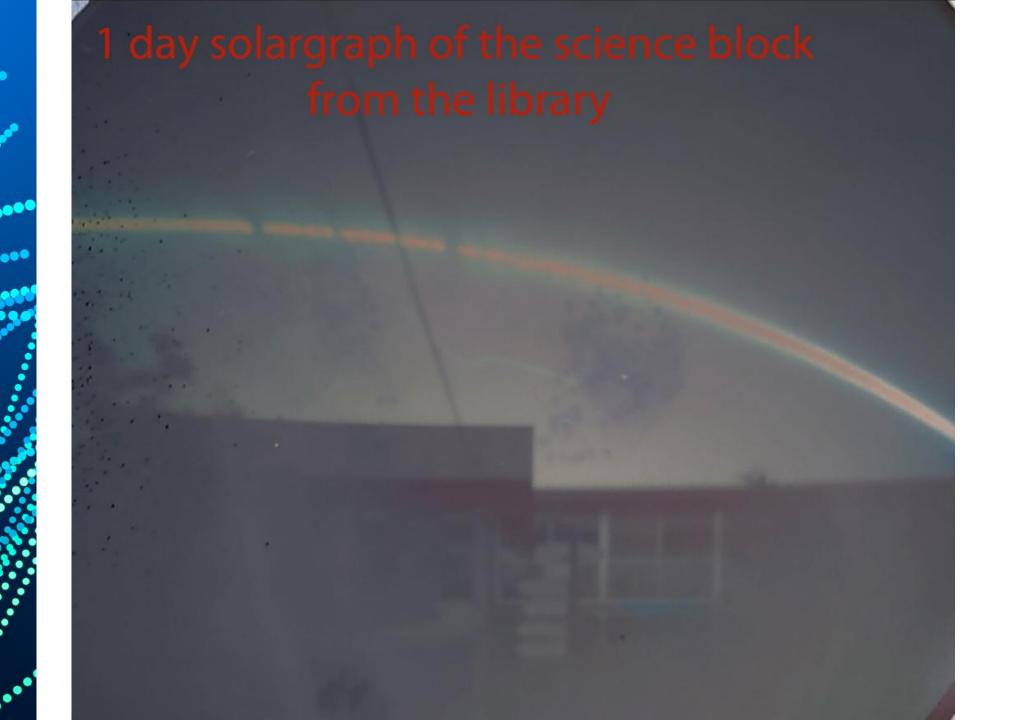


Solarcan Puck is a Limited-Time Palm-S...

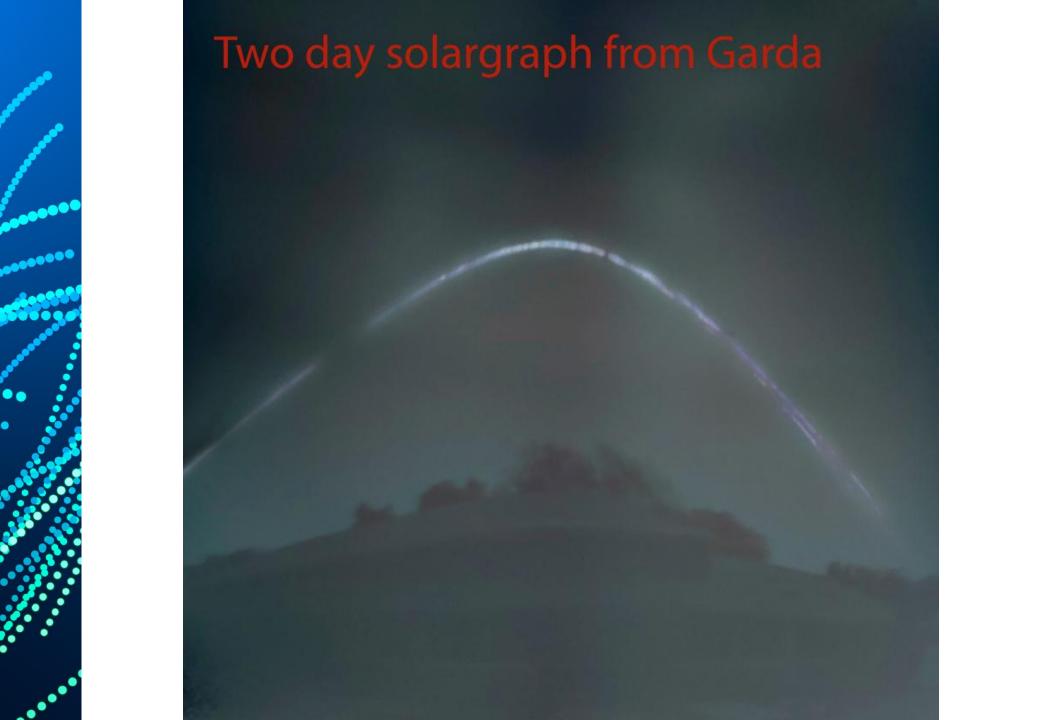
Secure the pinhole camera with tape. Make sure it points north. Remove the shutter and attach it below the pinhole.





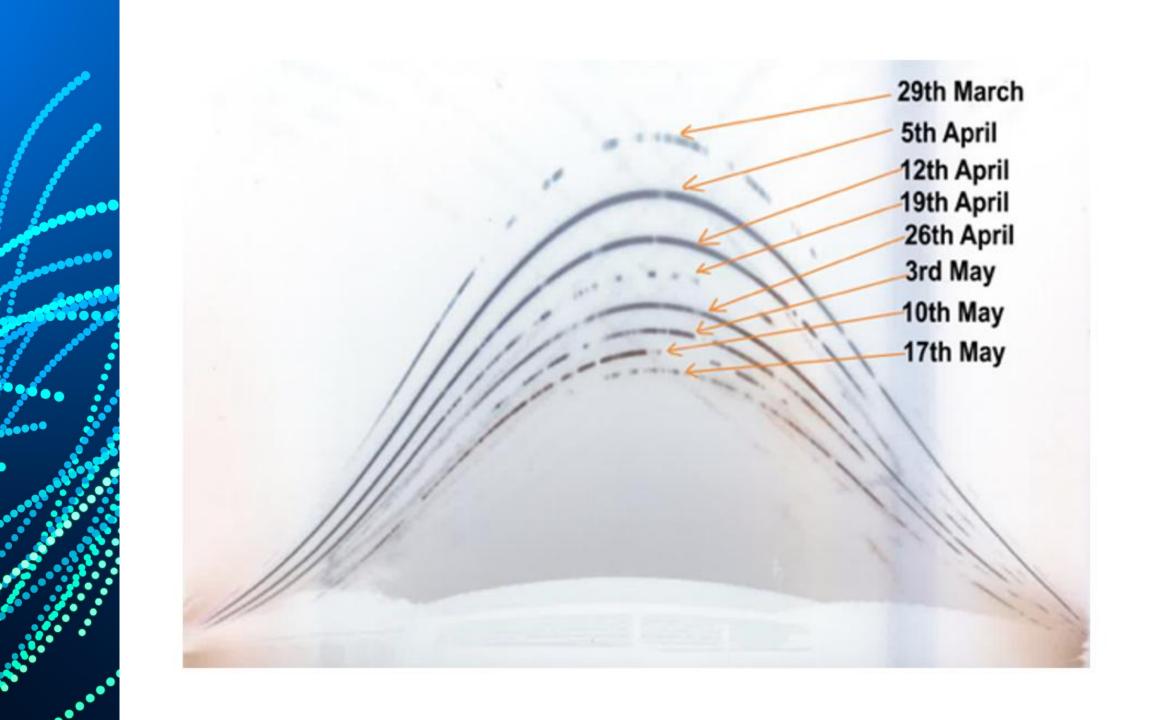




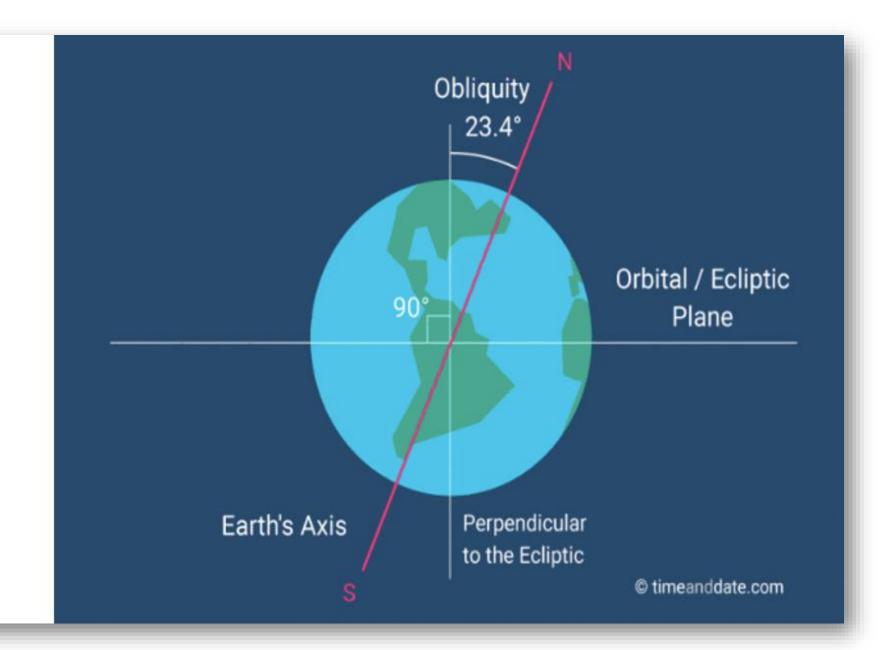


Gold Coast solargraph 17th April 2019





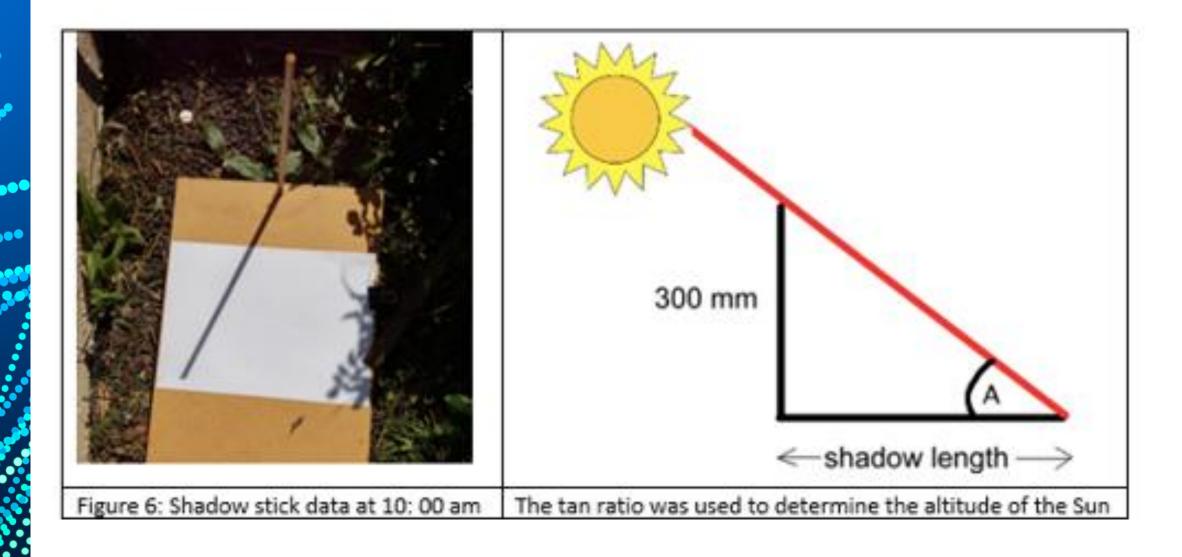
Solargraphs offer direct proof of the tilt of the Earth's axis





Rockhampton 28th June 2017 8: 00 am to 4: 00 pm

Maximum altitude 43.37°



Making an analemma (a one year project)

An analemma is a visual record showing the variation in the Sun's position in the sky over the course of a year, as viewed at a fixed time of day and from a fixed location on the Earth.

To record an analemma:

- -can of spray paint
- -plastic ice cream lid stencil
- wait one year

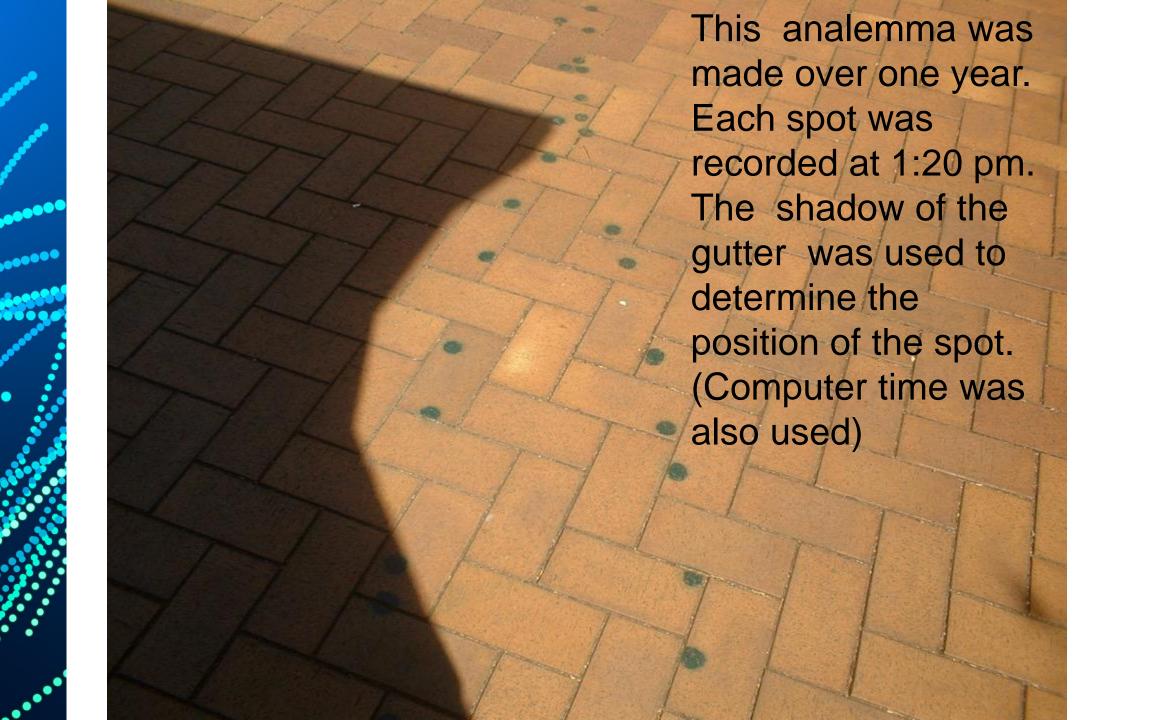




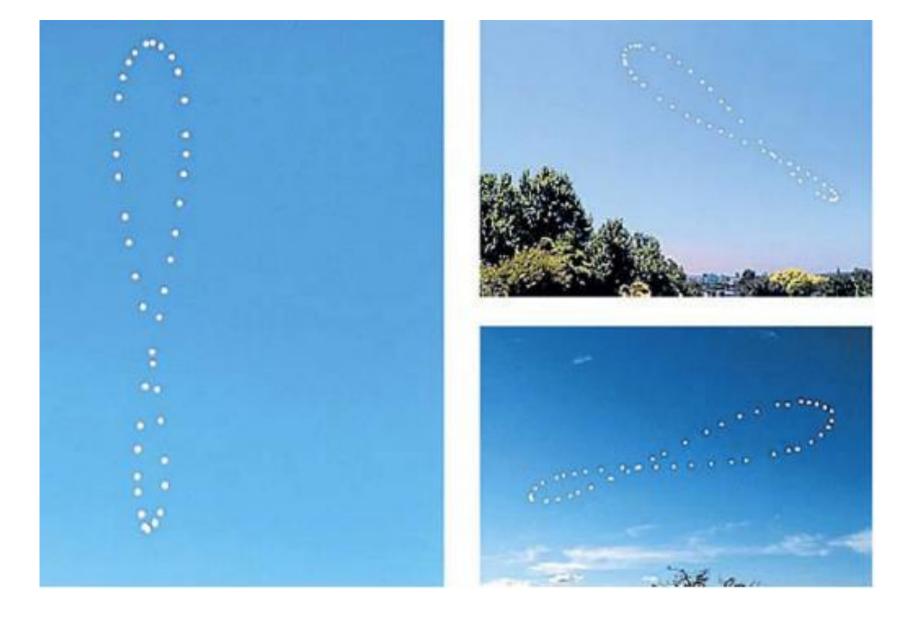
Expensive method with camera + solar filter



Cheap method with spray paint



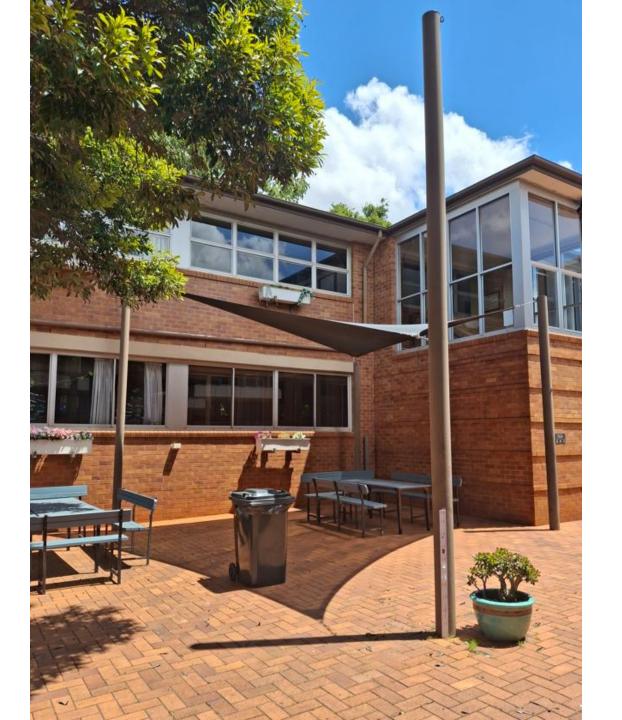
Is this analemma recorded in the northern or southern hemisphere?



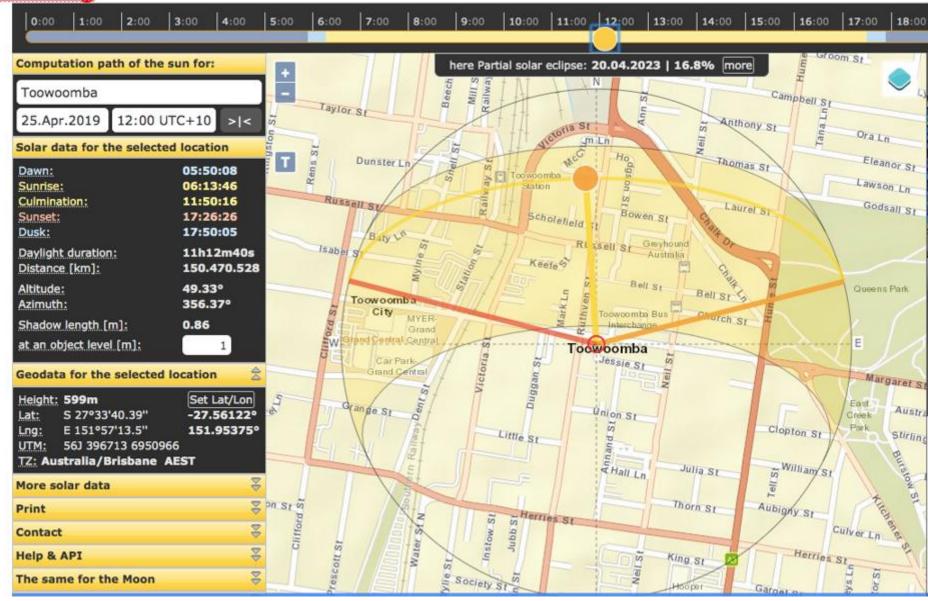




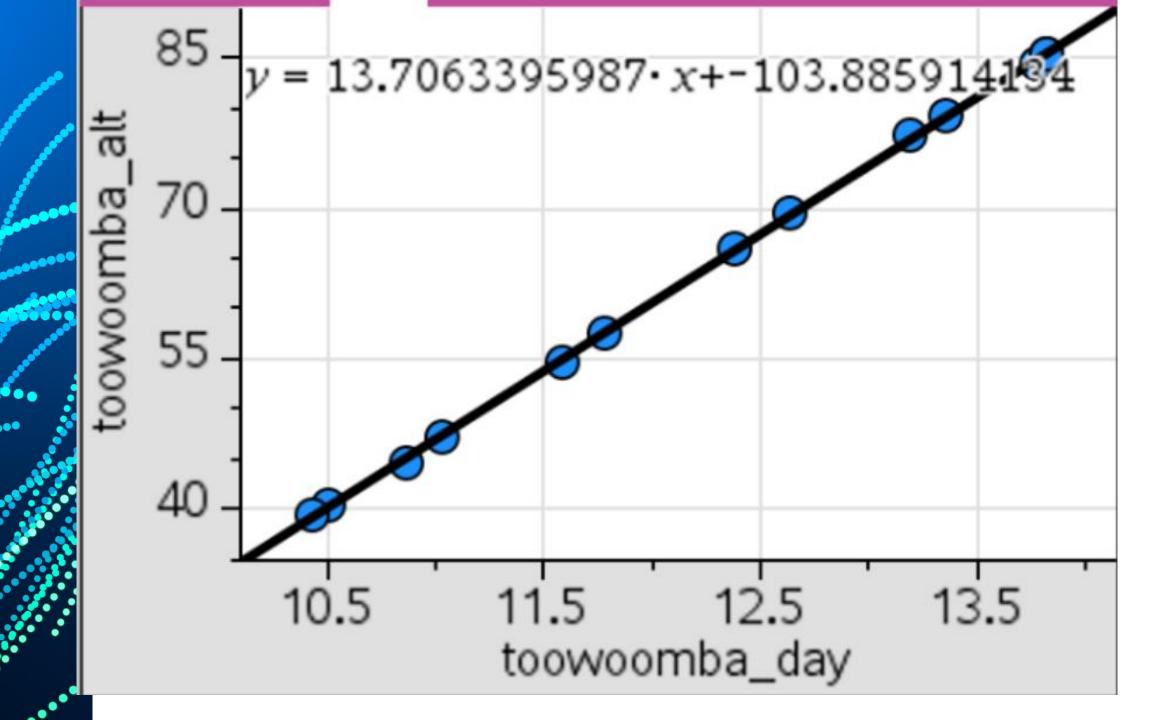


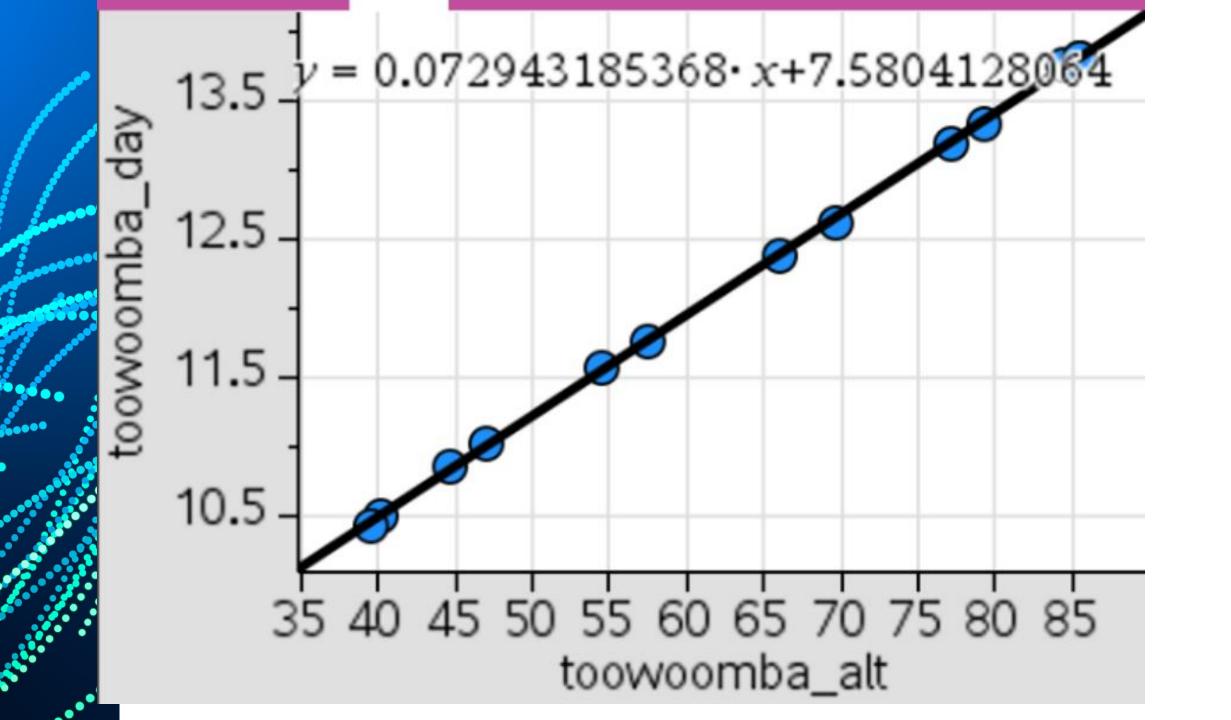


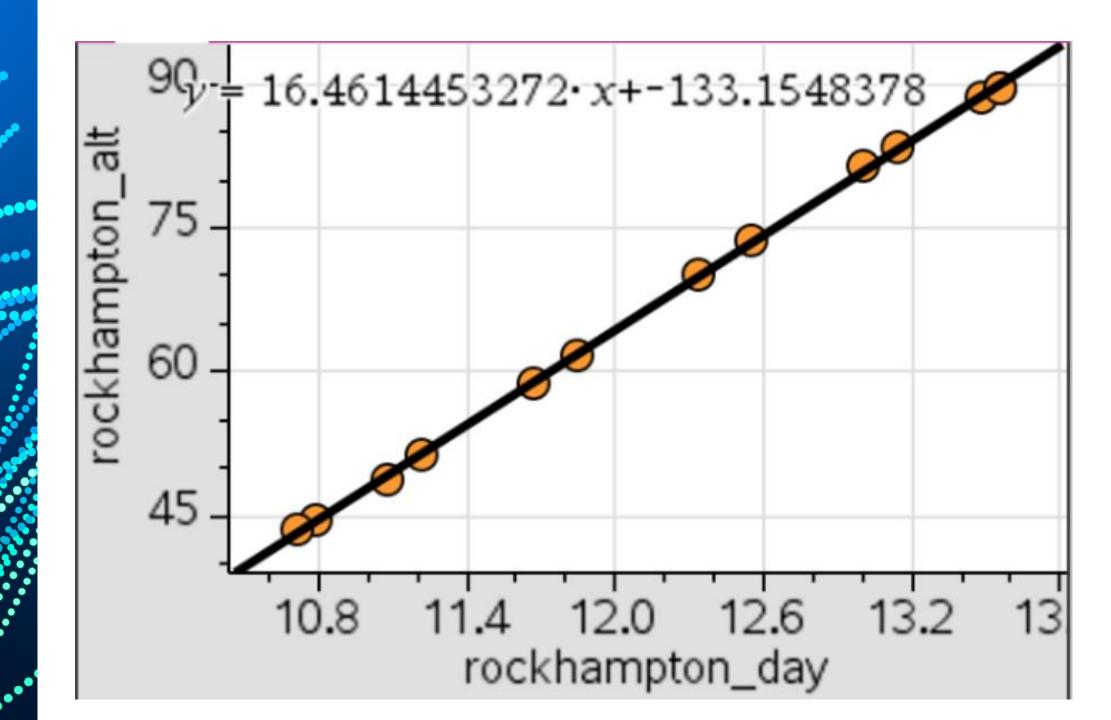
www.suncalc.org

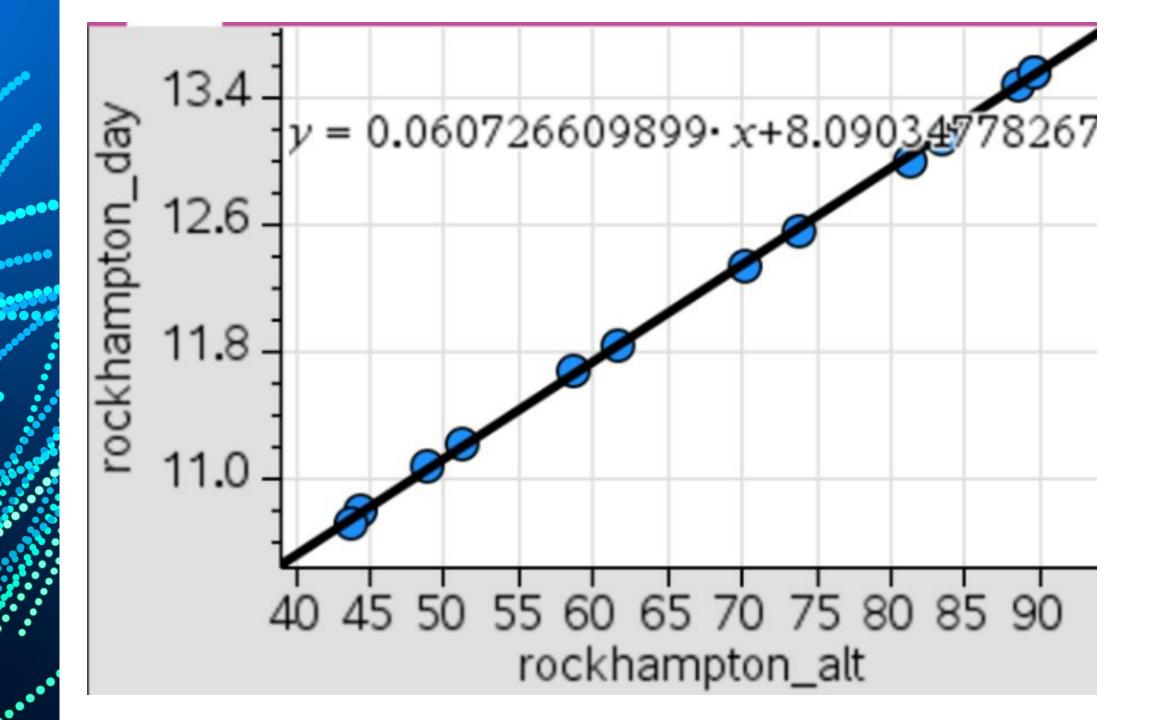


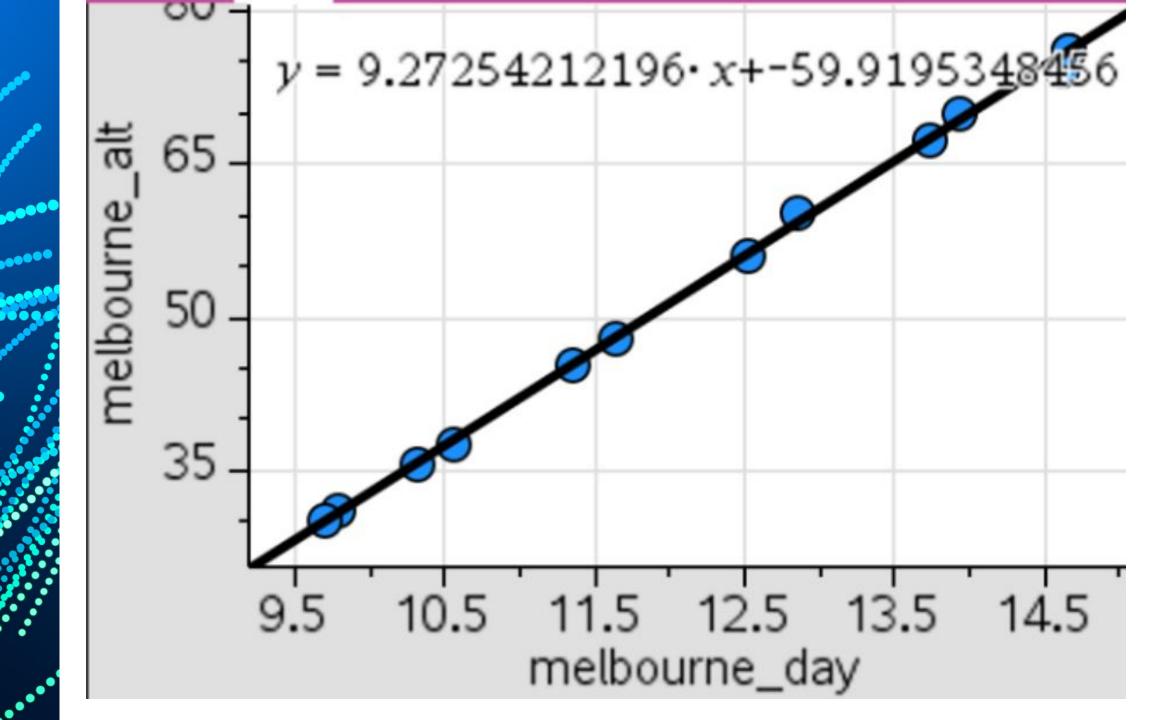
Date	Day number	Townsville alt	Caloundra	Queenstown alt	London	Quito	Toowoomba	Rockhampton Alt	Mexico City Alt	San Antonia alt
2nd Jan	2	86.36	86.1	67.88	15.68	67.66	85.34	89.52	44.74	37.76
2nd Feb	33	87.53	79.99	61.78	21.86	73.58	79.23	83.41	53.99	44
2nd March	61	77.92	70.39	52.18	31.5	83.25	69.63	73.8	63.66	53.67
2nd April	92	65.8	58.26	40.06	43.62	84.63	57.5	61.68	75.79	65.8
2nd May	122	55.36	47.83	29.62	54.02	74.24	47.06	51.24	86.16	76.18
2nd June	153	48.56	41.03	22.82	60.74	67.56	40.27	44.45	87.16	82.85
2nd July	183	47.73	40.19	21.98	61.49	66.85	39.43	43.61	86.46	83.55
2nd August	214	53.02	45.48	27.25	56.13	72.25	44.72	48.9	88.13	78.14
2nd Sept	245	62.86	53.32	37.08	46.24	82.16	54.56	58.74	78.21	68.22
2nd Oct	275	74.34	66.8	48.55	34.76	86.34	66.04	70.22	66.71	56.73
2nd Nov	306	85.5	77.96	59.72	23.64	75.23	77.2	81.38	55.6	45.62
2nd Dec	336	87.3	85.15	66.92	16.53	68.14	84.39	88.57	48.53	38.54
2nd Jan	367	86.36	86.1	67.88	15.68	67.66	85.34	89.52	47.74	37.76

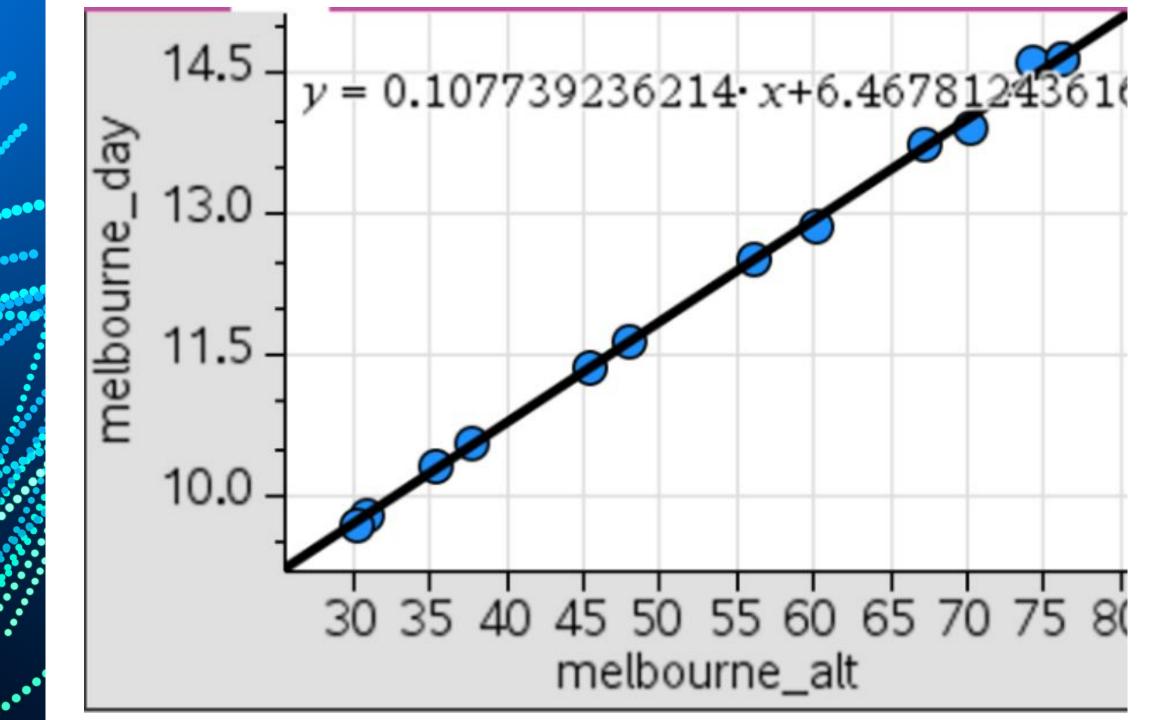


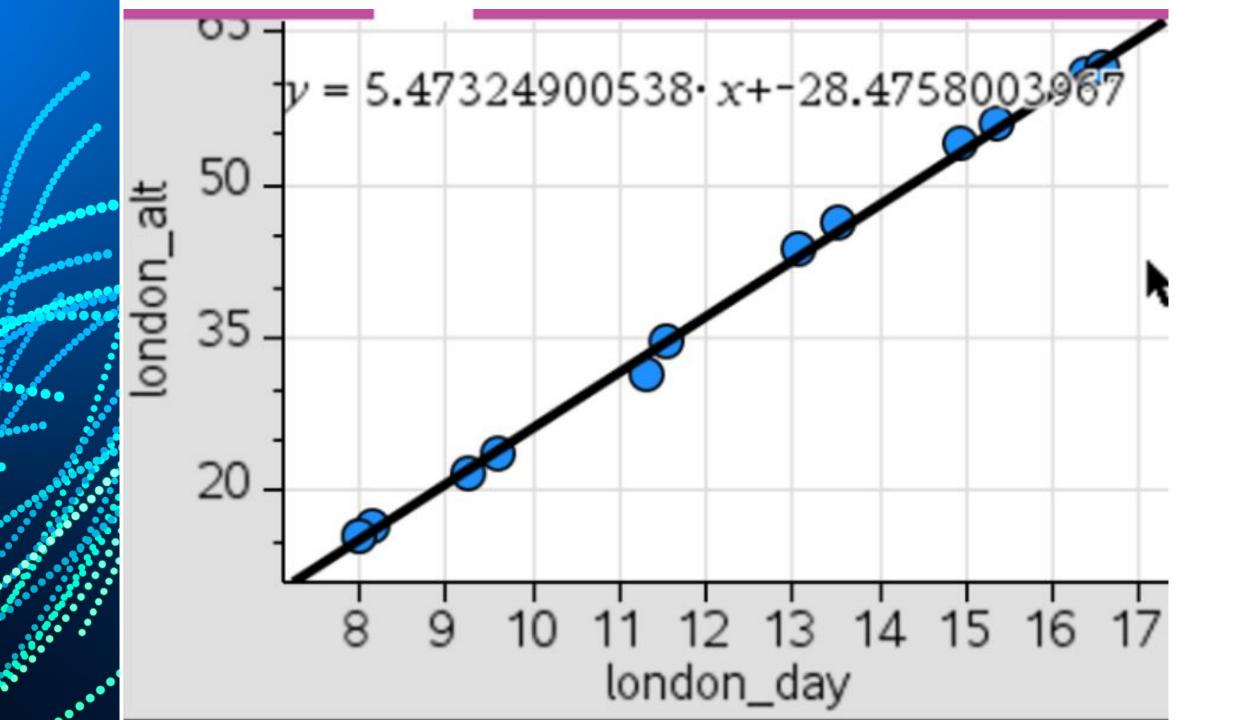


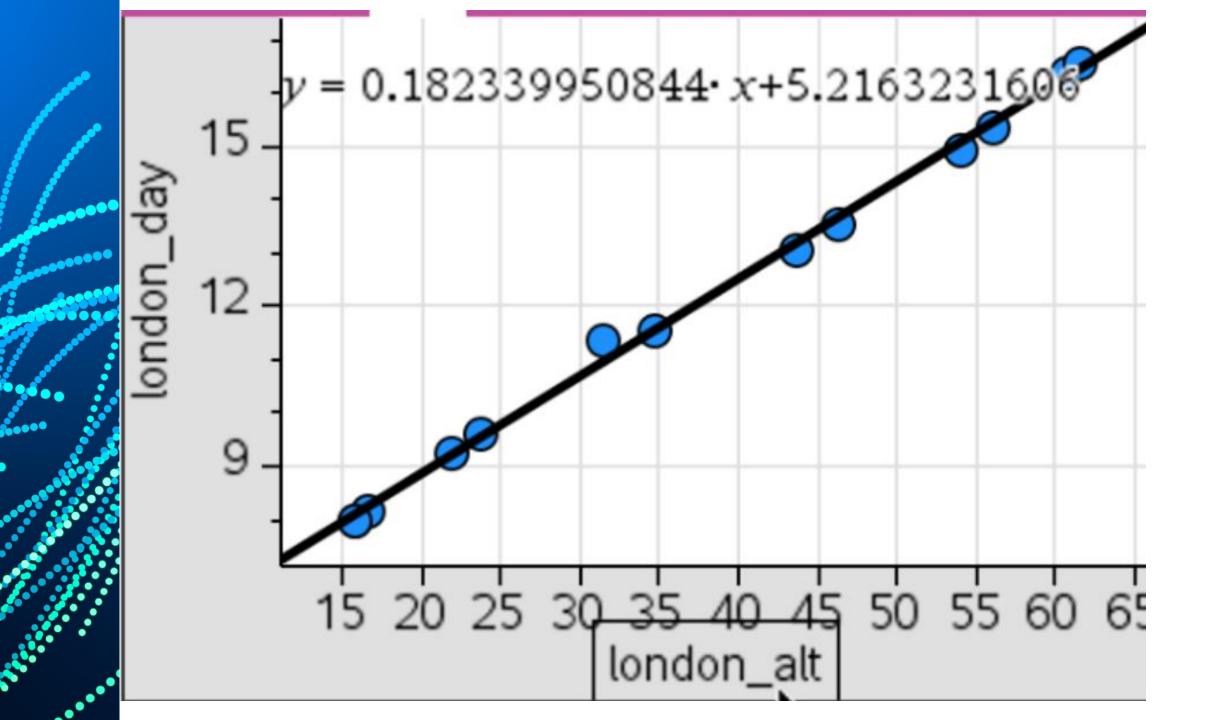


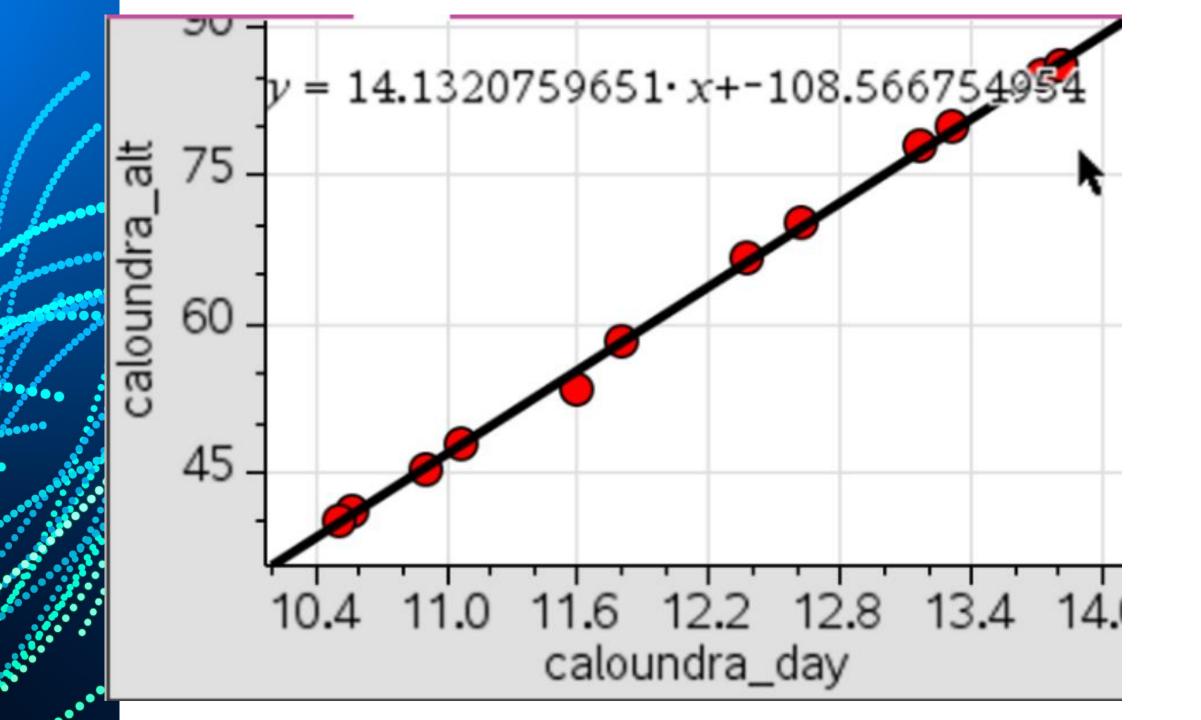


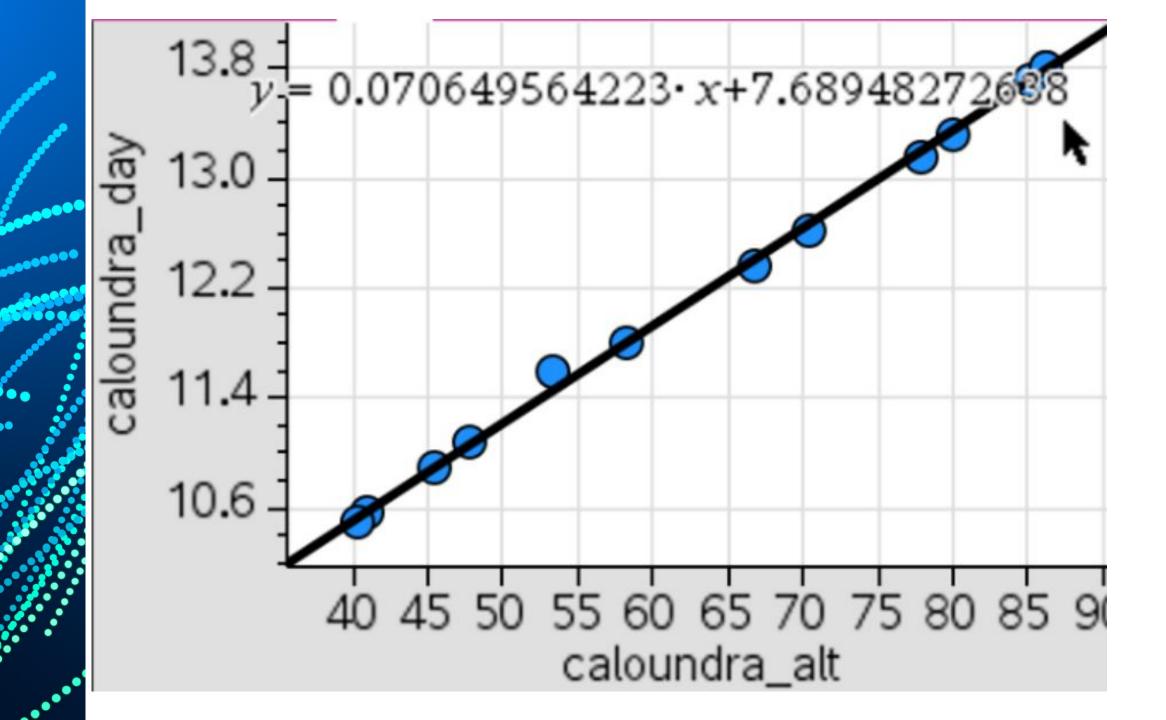


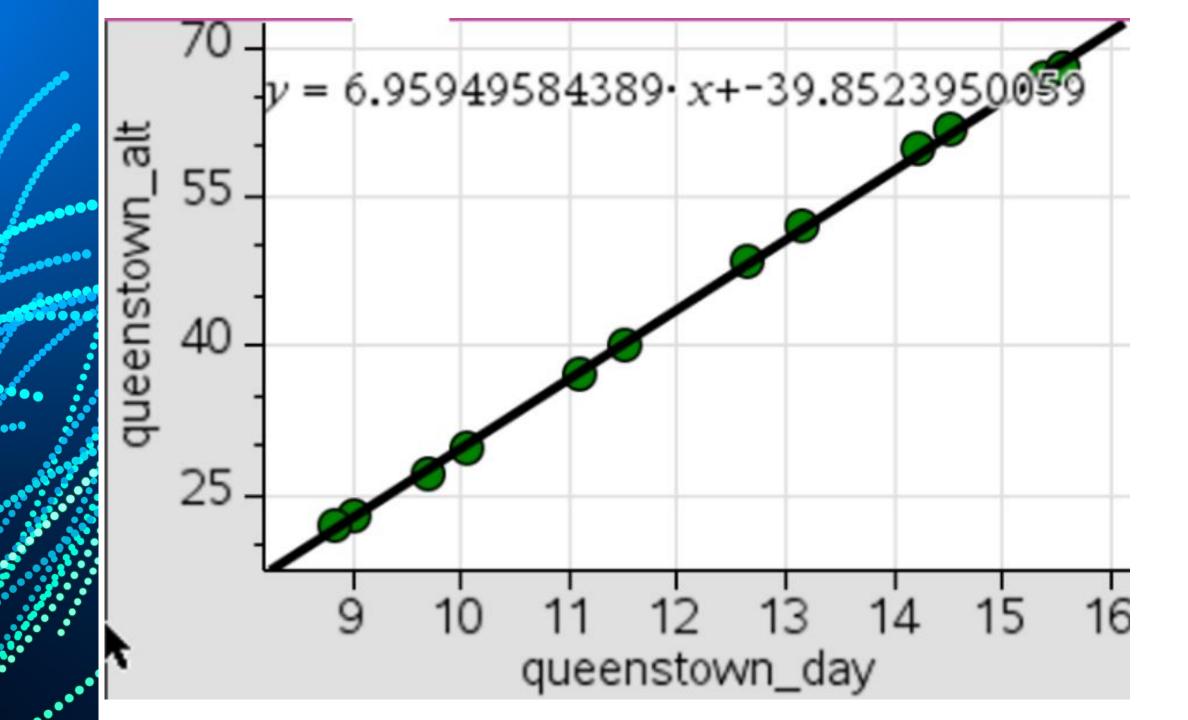


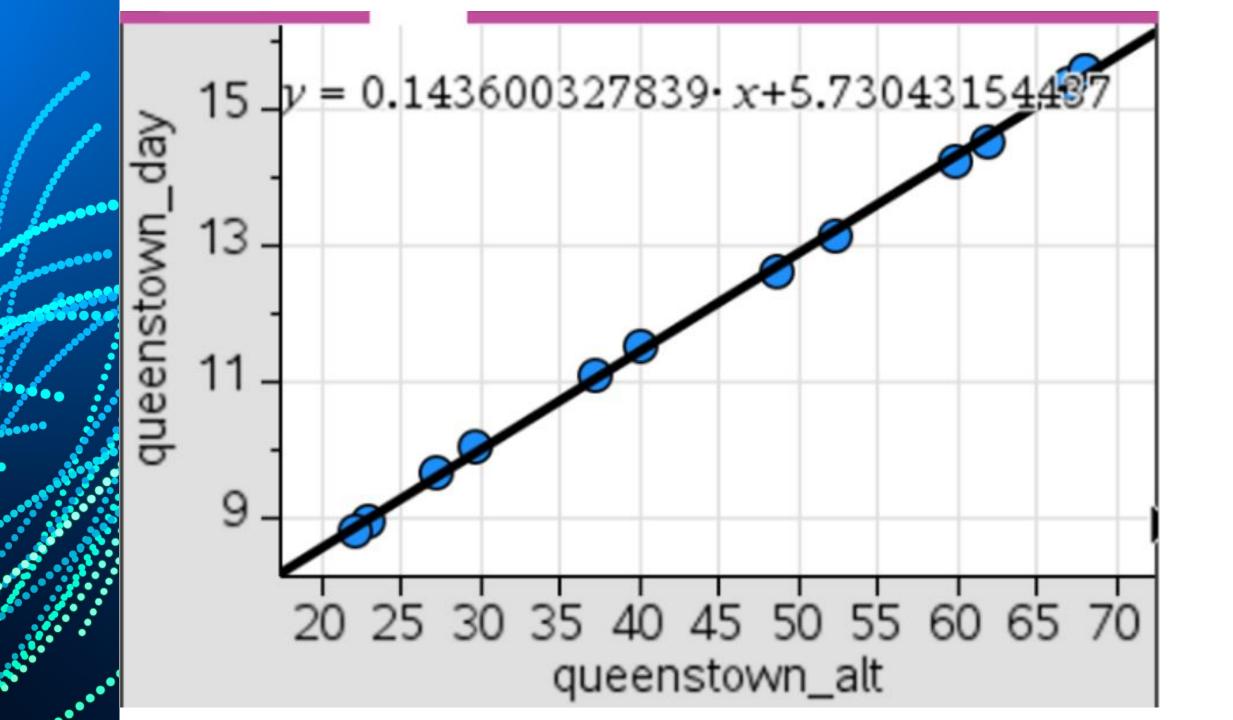


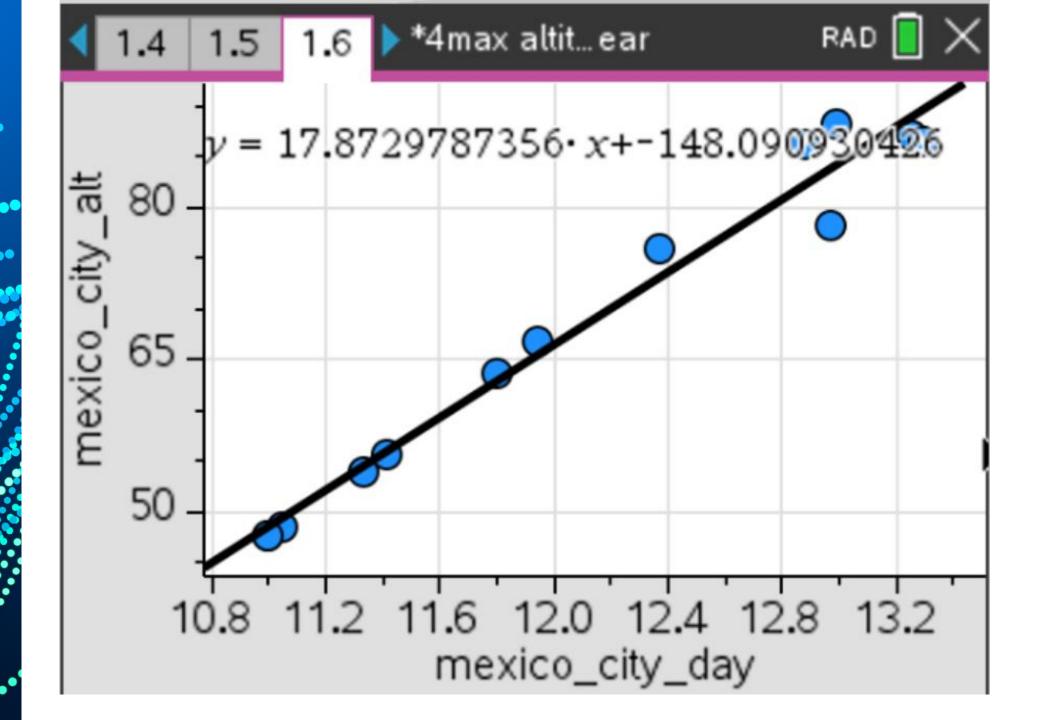


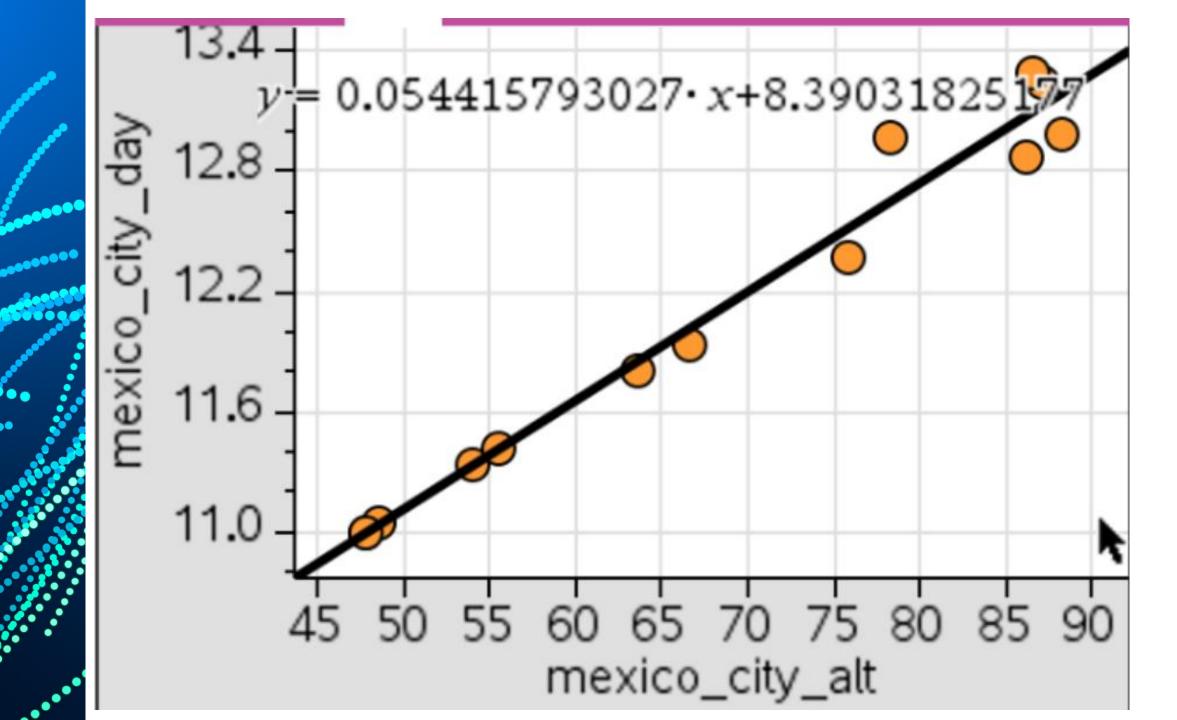


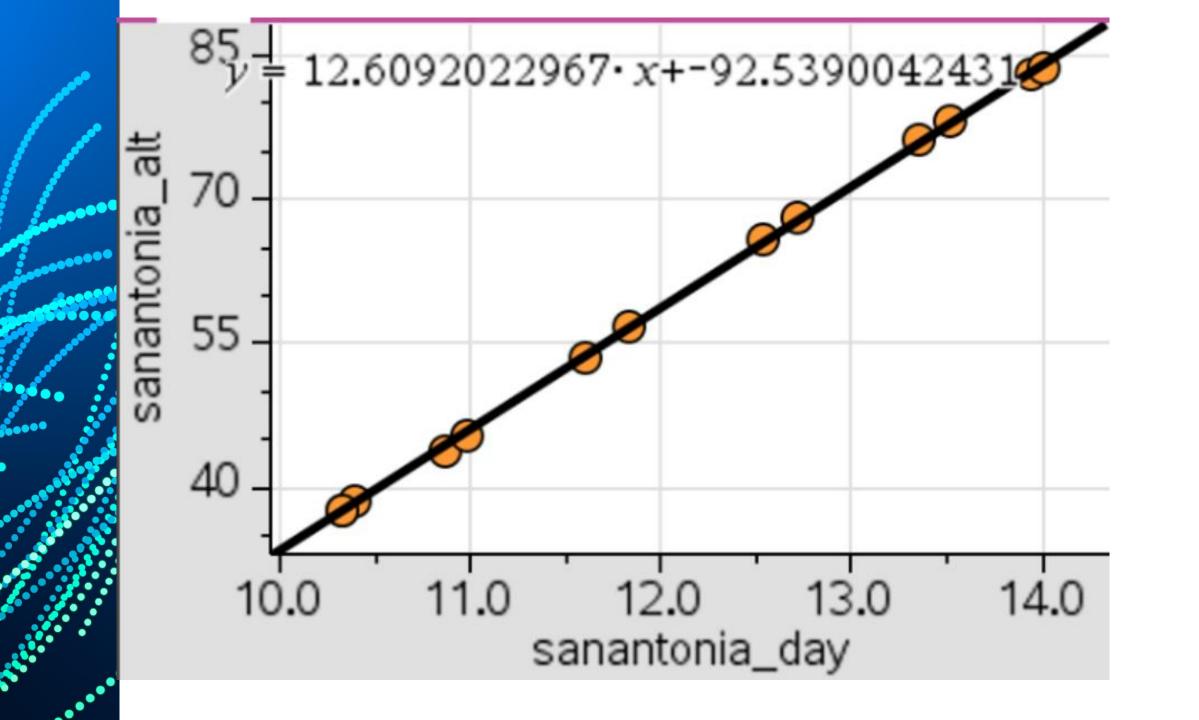


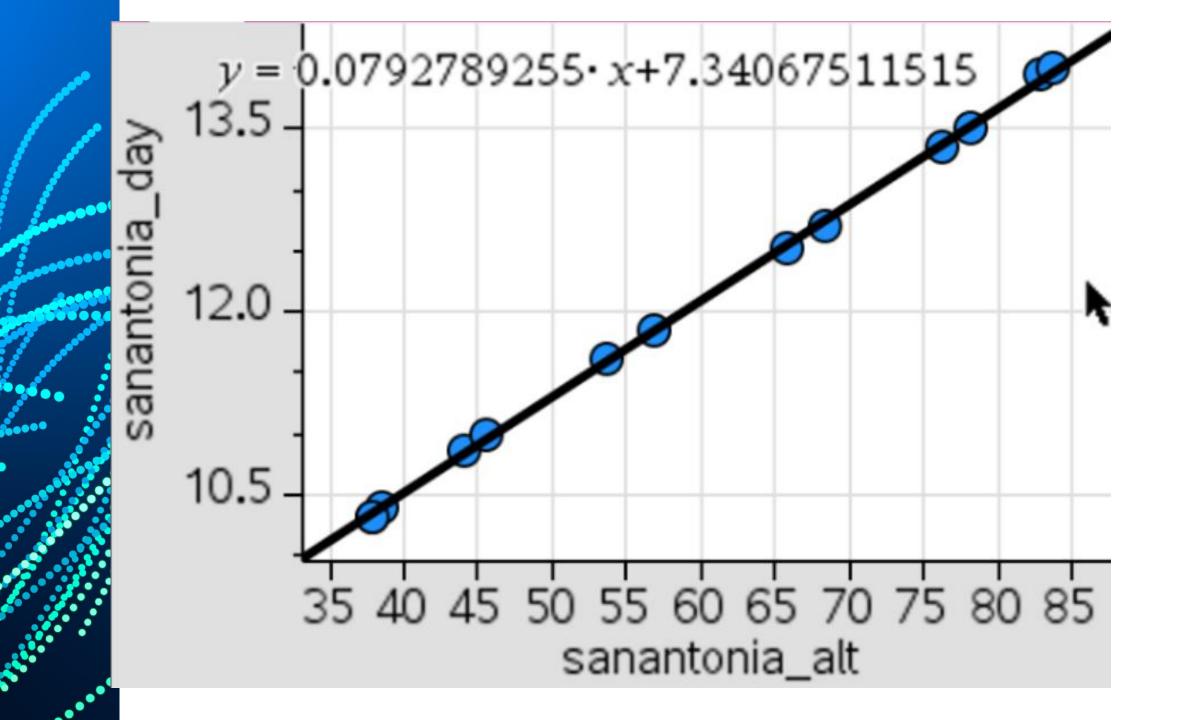


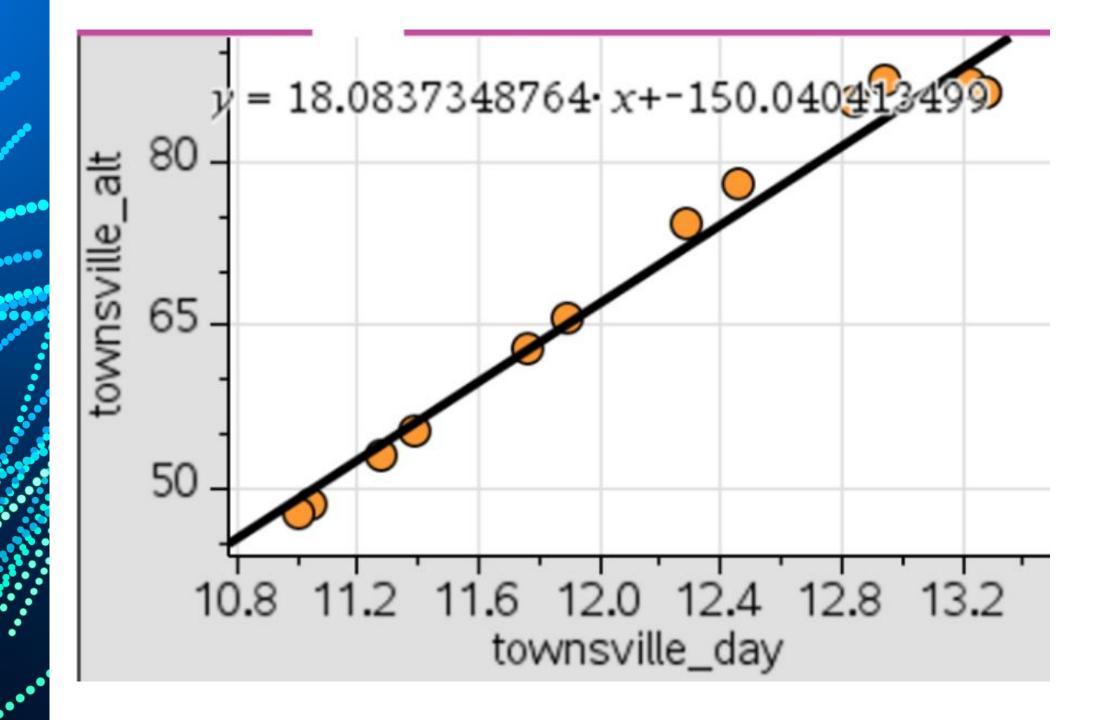


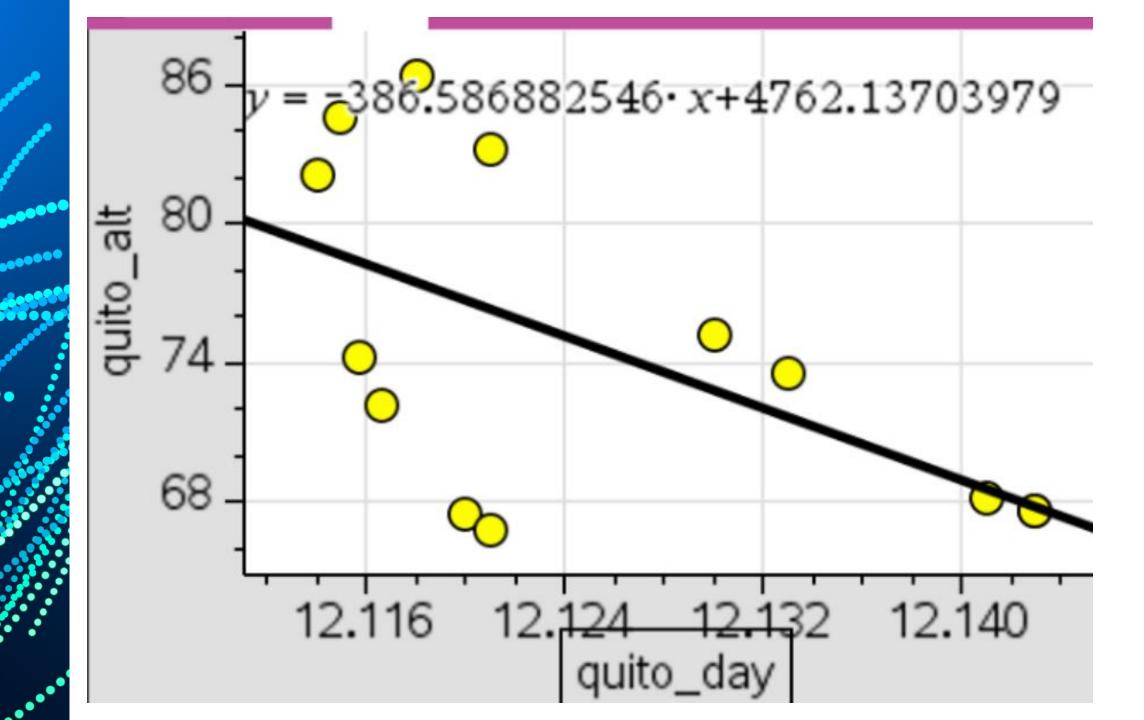


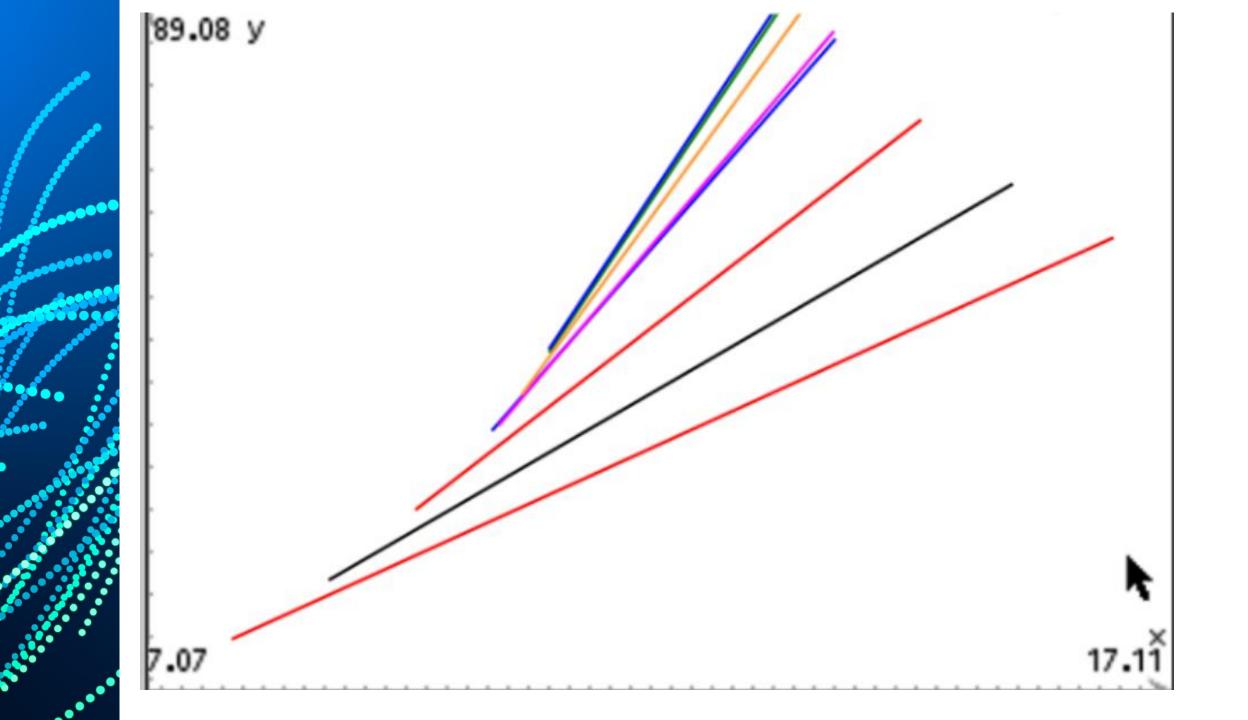


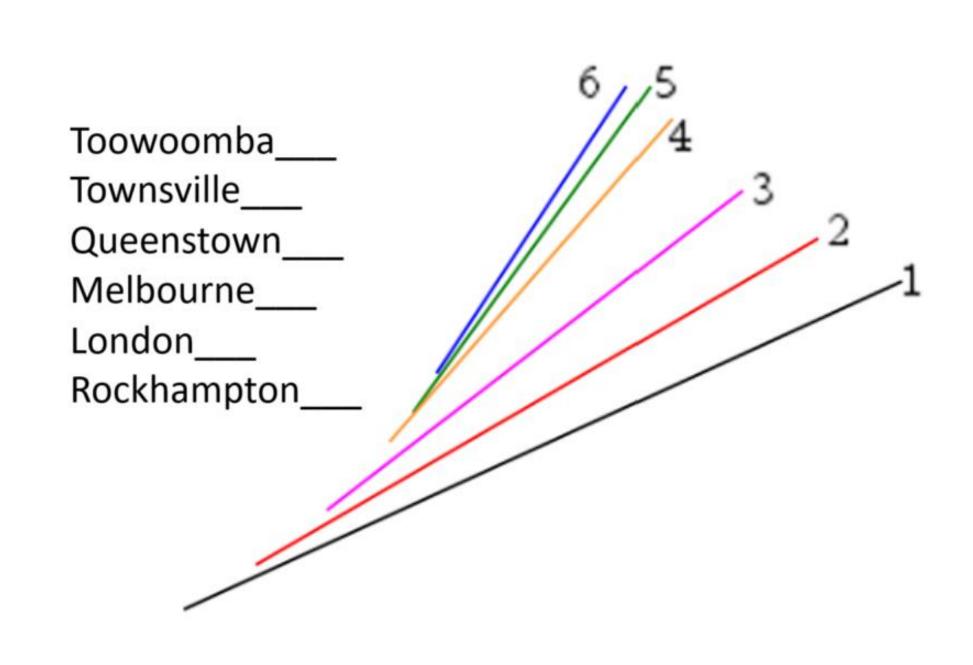


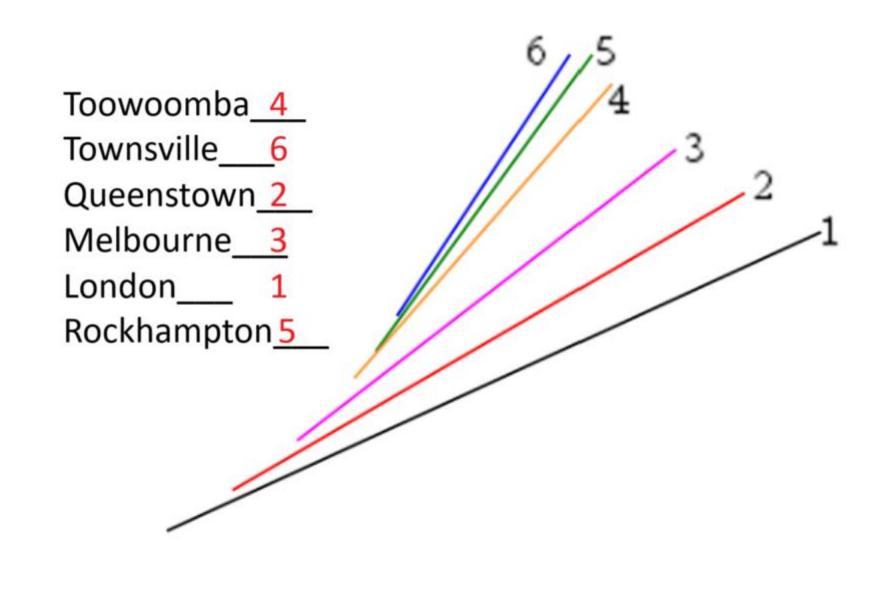














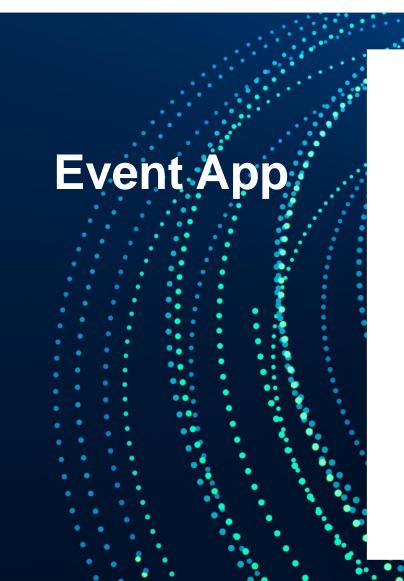














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- Step 2: Enter Event Code: mav
- Step 3: Enter the email you registered with
- Step 4: Enter the Passcode you receive via email and click 'Verify'. Please be sure to check your Junk Mail for the email, or see the Registration Desk if you require further assistance.





